

Can Inflation and Monetary Policy Predict Asset Prices?

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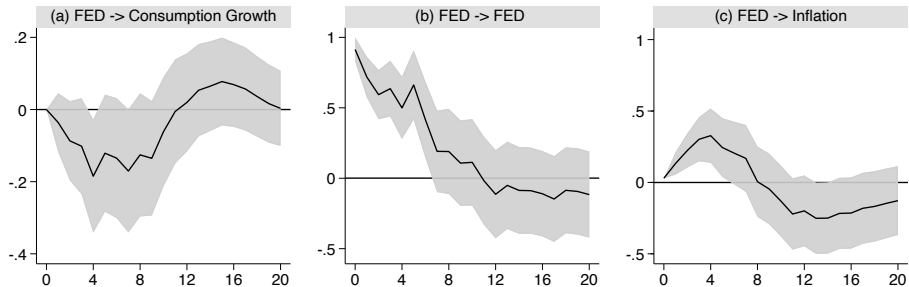
Research Question

- Traditional asset pricing models such as long-run risk build on *latent* risk factors with no *real* meaning unlike inflation, unemployment, etc.
- In this paper we are interested in the asset pricing implications of observable macroeconomic variables, namely *inflation* and the *federal funds rate*.

Research Questions

- 1 Have inflation and central bank rates explanatory power for consumption growth?
 - 2 Can they explain the historical variation in key asset pricing moments?
 - 3 How can the strong price reactions in stock and bond markets after interest rate announcements be explained?
- To answer those questions, I develop, calibrate, and solve a reduced-form consumption-based asset pricing model taking the dynamics of inflation and central bank rates into account.

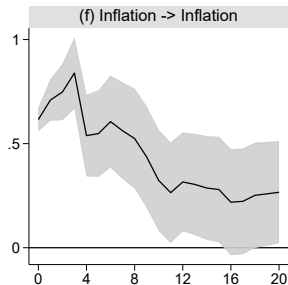
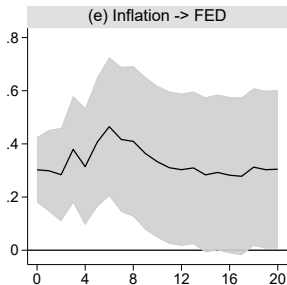
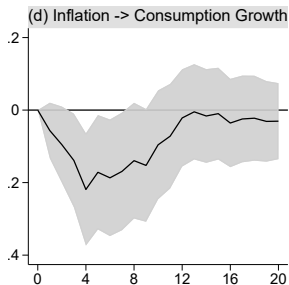
Empirical Evidence: Impulse Response Functions



• Positive interest rate shocks

- tend to have a negative short-term impact on real on economic growth but a positive effect on the long run.
- gradually diminish over time reflecting the FED's tendency to adjust rates back towards a neutral level after addressing temporary shocks.
- may signal stronger inflationary pressures or more persistent inflation expectations but help curb inflation rates on the long run.

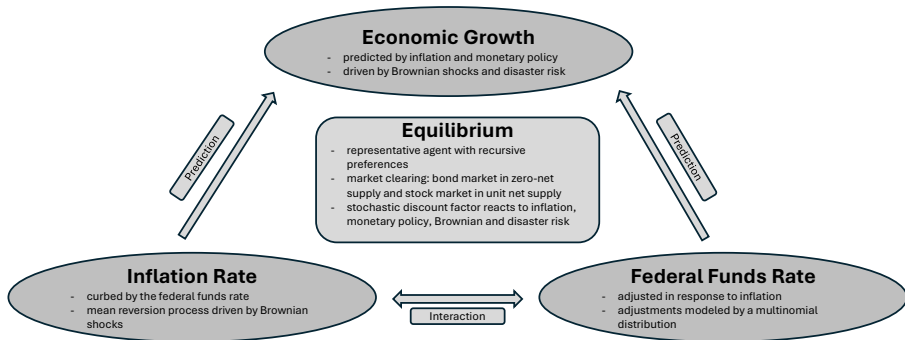
Empirical Evidence: Impulse Response Functions



• Positive inflation shocks

- tend to reduce real economic growth in both the short and long run.
- cause the federal reserve to raise interest rates to curb inflation.
- temporarily drive inflation rates higher. However, this increase is usually transitory, as inflationary pressures dissipate over time.

Model Setup



Model Setup: Key Variables

- Consumption dynamics:

$$\frac{dc_t}{c_{t-}} = \mu_c(\pi_t, i_t) dt + \sigma_c dW_t^c - \ell_t dN_t$$

- Inflation dynamics:

$$d\pi_t = \mu_\pi(\pi_t, i_t) dt + \sigma_\pi \left(\rho_{c\pi} dW_t^c + \sqrt{1 - \rho_{c\pi}^2} dW_t^\pi \right)$$

- Federal funds rate is adjusted at regularly scheduled FOMC meetings (8 per year):

$$i_T = i_{T-} + \Delta_i,$$

where $\mathbb{P}(\Delta_i | i, \pi)$ is modeled by the historical distribution of interest rate adjustments.

Semi-Analytical Results: Risk-free Rate

- I first calculate the indirect utility function G for recursive utility ($\gamma = \text{RRA}$, $\psi = \text{EIS}$, $\delta = \text{time preference rate}$, $\theta = \frac{1-\gamma}{1-1/\psi}$) numerically.
- I then determine the pricing kernel and calculate several asset pricing moments.
- The real risk-free rate is

$$\begin{aligned}
 r^f = & \underbrace{\delta}_{\text{discounting}} + \underbrace{\frac{1}{\psi} \mu_c(\pi, i)}_{\text{smoothing}} - \underbrace{\frac{1}{2} \gamma \left(\frac{1}{\psi} + 1 \right) \sigma_c^2}_{\text{standard diffusion risk}} \\
 & + \underbrace{\lambda_c \left(\frac{\theta - 1}{\theta} \mathbb{E}[(1 - \ell)^{1-\gamma}] - \mathbb{E}[(1 - \ell)^{-\gamma}] + \frac{1}{\theta} \right)}_{\text{macroeconomic disaster risk}} \\
 & + \underbrace{\frac{\theta - 1}{2\theta^2} \frac{G_\pi^2}{G^2} \sigma_\pi^2}_{\text{inflation risk}} + \underbrace{\frac{\theta - 1}{\theta} \frac{G_\pi}{G} \sigma_\pi \sigma_c \rho_{c\pi}}_{\text{interaction risk}}
 \end{aligned}$$

Semi-Analytical Results: Equity Premium

- The price-dividend ratio $\Omega(t, \pi, i)$ satisfies the following PDE between two FOMC meetings

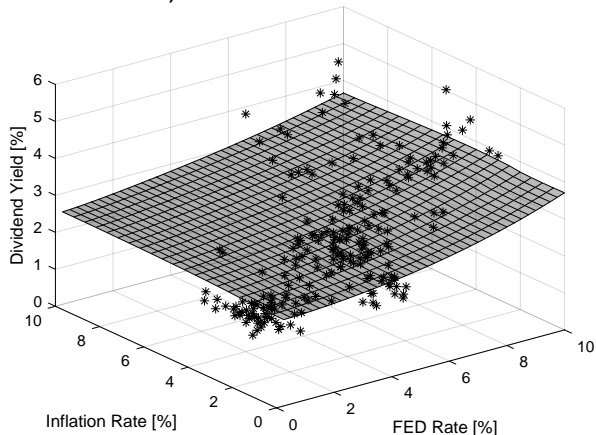
$$0 = 1 + \Omega_t + \Omega(\mu_{\hat{D}} + \lambda_c \mathbb{E}[(1 - \ell)^{\phi - \gamma} - 1]) + \Omega_\pi (\mu_\pi(\pi, i) + \Sigma_\pi^\top \Sigma_{\hat{D}}) + \Omega_{\pi\pi} \frac{1}{2} \sigma_\pi^2.$$

- The equity premium is

$$r^s - r^f = \underbrace{\gamma \sigma_c \sigma_d \rho_{cd}}_{\text{Diffusion Risk}} + \underbrace{\lambda_c \mathbb{E}[(1 - (1 - \ell)^{-\gamma})((1 - \ell)^\phi - 1)]}_{\text{Macroeconomic Disaster Risk}} - \underbrace{\frac{\theta - 1}{\theta} \frac{G_\pi}{G} \frac{\Omega_\pi}{\Omega} \sigma_\pi^2}_{\text{Inflation Risk}} - \underbrace{\frac{\theta - 1}{\theta} \frac{G_\pi}{G} \Sigma_\pi^\top \Sigma_d + \gamma \frac{\Omega_\pi}{\Omega} \sigma_c \sigma_\pi \rho_{c\pi}}_{\text{Interaction Risk}}.$$

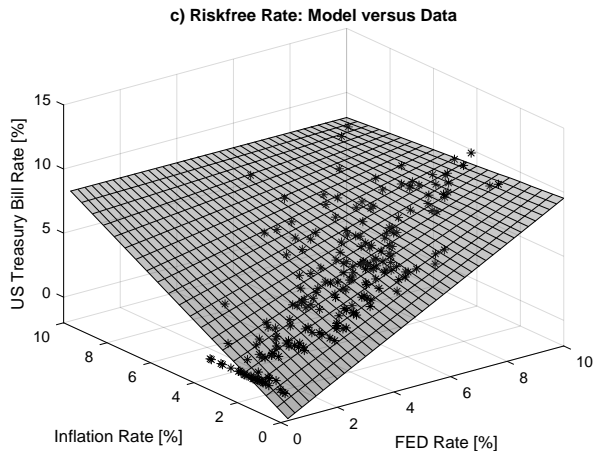
Simulation Results: Dividend Yield

a) Dividend Yield: Model versus Data



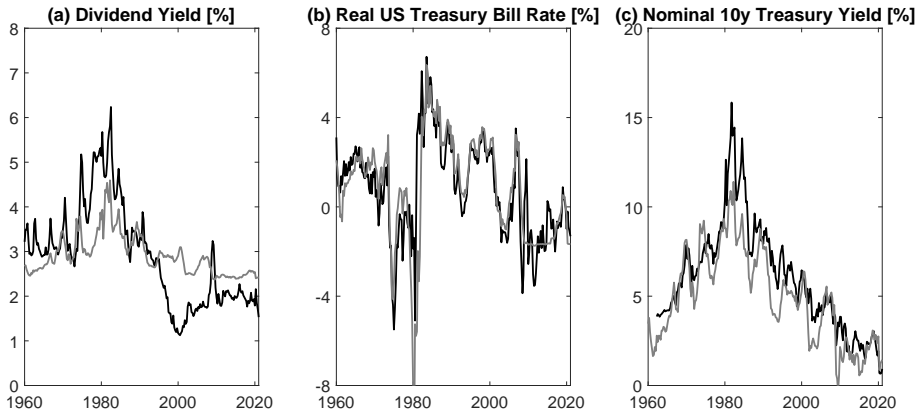
- Dividend yield increases in the federal funds rate.
- Inflation has a minor effect.

Simulation Results: Nominal Risk-free Rate



- The nominal risk-free rate increases in both inflation and the federal funds rate.
- The effect of inflation on the real risk-free rate is ambiguous.

Simulation Results: Historical Performance



- Black lines: historical data
- Gray lines: model simulation

Unconditional Moments

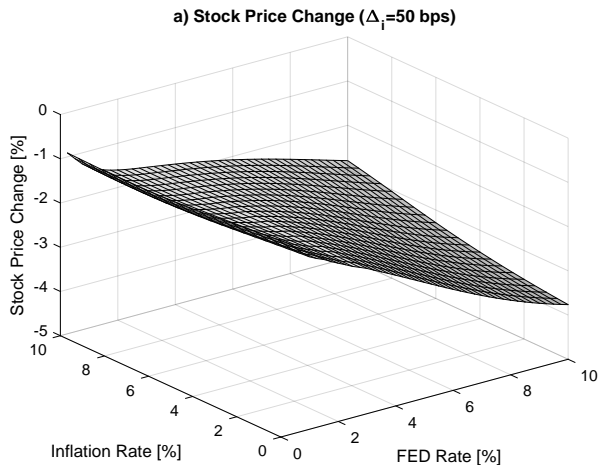
(a) Stock Market

Moment	Model	US Data
$\mathbb{E}[y_d]$	2.91	2.91
$\sigma(y_d)$	0.45	1.13
$AC(y_d)$	89.53	97.58
$\mathbb{E}[r_s - r_f]$	5.49	5.52
$\sigma(r_s)$	11.43	16.03
SR	48.00	34.44

(b) Bond Market

Moment	Model	US Data
$\mathbb{E}[r_f]$	4.46	4.45
$\sigma(r_f)$	2.97	3.17
$AC(r_f)$	95.76	96.62
$\mathbb{E}[r^{10}]$	4.90	6.01
$\sigma(r^{10})$	2.55	2.99
$AC(r^{10})$	97.11	97.05

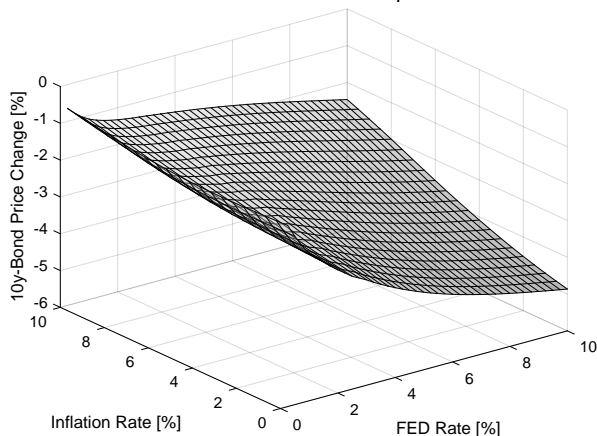
Price Impact of Monetary Policy



- Restrictive monetary policy has a negative impact on stock prices.

Price Impact of Monetary Policy

b) 10y-Bond Price Change ($\Delta_i=50$ bps)



- An increase in the federal funds rate leads to an increase in its yield resulting in a lower bond price.

Conclusion

- I show that inflation and the federal funds rate predict consumption growth although I need a disaster component to match the dynamics of crises.
- My model matches historical asset pricing moments and
 - replicates several stylized facts inferred from vector-autoregressions.
 - produces an unconditional equity premium of 5.49% and a real risk-free rate of 0.79% under reasonable values for the preference parameters.
 - explains significant changes in asset prices following the FED's interest rate announcements.
 - replicates the historical pattern of the price-dividend ratio and the risk-free rate.
 - produces reasonable shapes of the nominal term structure of interest rates, which is normal most of the time but can also be inverse.
- I have also performed several robustness checks, which confirm my results for alternative model specifications.