

Climate Change Impacts on Commodity Price Stability through Changing ENSO Patterns

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Outline

Introduction

Data

Empirical strategy

- Identification strategy

- Baseline Model

- Extreme events

- Faster Transition

Results

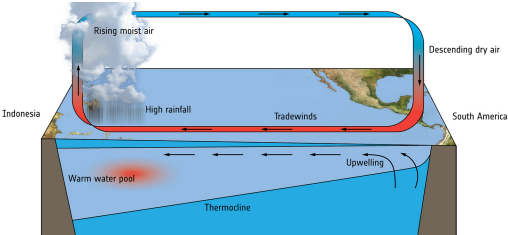
- Baseline

- Stress

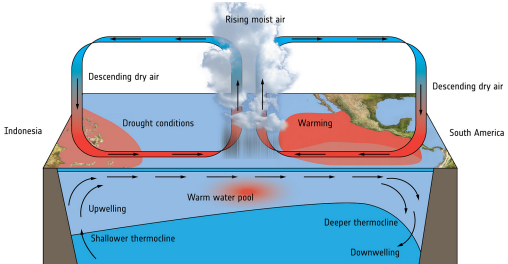
How climate change will impact our economies ?

- ▶ Chanel : impact of climate change on commodities and therefore on relative prices
- ▶ This paper : Focus on El Niño-Southern Oscillation (ENSO)
 - ▶ How climate affects prices through ENSO conditions ?
 - ▶ How this relation may evolve due to climate change ?

El Niño-Southern Oscillation



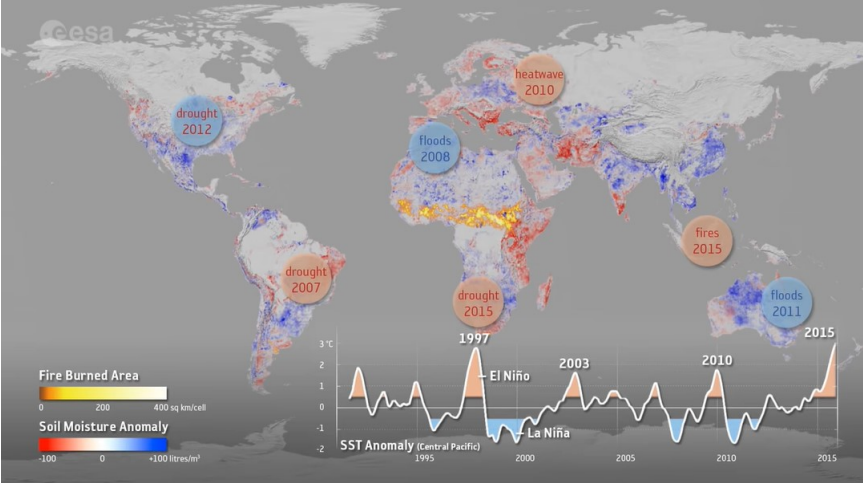
Normal conditions



El Niño conditions

Source : European Spatial Agency

ENSO is a global phenomenon



Source : European Spatial Agency

ENSO has large impacts on the economy

- ▶ Many channels from ENSO conditions to econ activity
 - e.g. weather anomalies ⇒ **agricultural** commodities supply
 - e.g. no upwelling of colder water, nutrients ↓ phytoplankton population ↓ **fish** catch ↓
 - e.g. excessive precipitation, mines flooded, **metals and minerals** production ↓

- ▶ Many complexities
 - ▶ Commodities are not impacted all the same way
 - e.g. El Niño impact on coffee prices : ↑ Robustas, ↓ Arabicas
 - ▶ El Niño and La Niña are **not symmetric**
 - ▶ Large events have different effects : **non-linearity**

This paper

Our contributions :

- ▶ controlling for global factors
- ▶ introducing a method to measure changing ENSO patterns impact on commodities
- ▶ an index to express commodities exposure to climate change
a metrix from *improved stability to greater instability*

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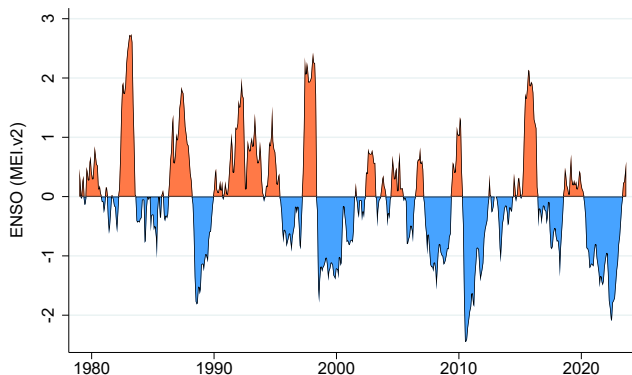
Baseline

Stress

Our dataset

► ENSO : El Niño-Southern Oscillation

- MEI V2 : multi-variate index (uses SST, winds, SLP, etc.)
- Sources : National Oceanic and Atmospheric Administration (NOAA)



Our dataset

▶ ENSO

▶ Commodities

- World Bank Pinksheet
- 3 subgroups : agriculture + energy + metal and minerals
- 67 International Commodity Prices :
 - Rice Wheat Maize Barley Soybeans Soybean Oil Soybean Meal Palm Oil Coconut Oil Groundnut Oil Sugar Bananas Meat, beef Meat, chicken Oranges Coffee Cocoa Tea Timber Cotton Natural Rubber Tobacco Aluminum Copper Iron Ore Lead Nickel Tin Zinc Natural Phosphate Rock Phosphate Potassium Nitrogenous Gold Silver Platinum Coal Crude Oil Natural Gas...

Graph : Composition of the commodities data set

Our dataset

- ▶ ENSO
- ▶ Commodities
- ▶ Control
 - 9 economies (2/3 of global output)
 - Output Growth (Industrial Production, OECD, FRED)
 - Short-term interest rate (OECD, FRED, CEIC)
 - global factor = principal component
- ▶ monthly data set from 2002 :04 to 2019 :12

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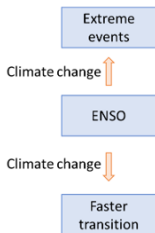
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Identification strategy

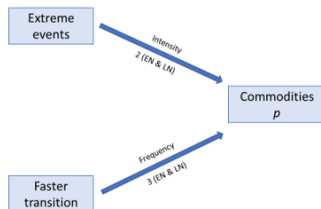
Assumption :



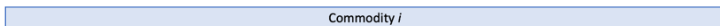
Step 1 : benchmark



Step 2 : Counterfactual



Step 3 : Comparison



For each commodity i and ENSO scenario $s \in \{s_1, s_2, s_3, s_4\}$

- **Intensity (extreme events)**

- s_1 more intense EN
- s_2 more intense LN

- **Frequency**

- s_3 faster transitions during EN
- s_4 faster transitions during LN

Define scenario-specific **volatility response** ($V_{i,s}$):

- $Index_i = \begin{cases} +1 & \text{if volatility significantly increases} \\ 0 & \text{if no statistically significant change} \\ -1 & \text{if volatility significantly decreases} \end{cases}$

- $Index_i = \sum_{s=1}^4 V_{i,s}$

- $Index_i \in [-4, +4]$

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Baseline Model

Local projections with transition function *à la* Jorda (2005)

$$\begin{aligned}\pi_{t+h} = & F(\zeta_{t-1})(\alpha_{h,EN} + \phi_{h,EN}(L)x_{t-1} + \beta_{h,EN}shock_t) \\ & + (1 - F(\zeta_{t-1}))(\alpha_{h,LN} + \phi_{h,LN}(L)x_{t-1} + \beta_{h,LN}shock_t) \\ & + \epsilon_{t+h}\end{aligned}$$

with

π_t commodity price change (1 among 67 indices)

x_t control variables (global Y_t , global i_t , π_{t-1})

$shock_t$ surprise components of MEI.V2 : $\zeta_t = \alpha + \sum_{n=1}^h \beta_n \zeta_{t-n} + u_t$

$\beta_{h,EN}$ impact of the weather shock in a El Niño state

$\beta_{h,LN}$ same for La Niña state

$$F(\zeta_t) = \frac{\exp(-\gamma\zeta_t)}{1 + \exp(-\gamma\zeta_t)}$$

▶ Transition function representing climate state

▶ During La Niña $F(\zeta_t) \rightarrow 0$; During El Niño $F(\zeta_t) \rightarrow 1$

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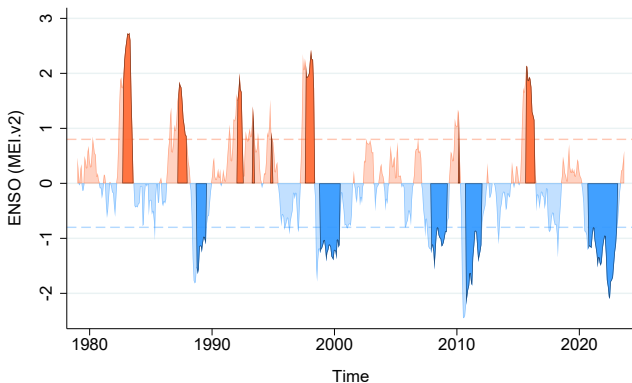
Stress

Extreme events : El Niño Anomalous Weather Conditions

two join criteria to define anomalies :

- ▶ amplitude
 - ▶ MEI.V2 absolute value is above .8
- ▶ duration of the variation.
 - ▶ a minimum of 5 consecutive overlapping seasons

Figure – MEI.v2 Anomalies



El Niño Anomalous Weather Conditions

$$\begin{aligned}\pi_{t+h} = & (1 - I^{ENA} F(\zeta_{t-1})) (\alpha_{h,ENA} + \phi_{h,ENA}(L) x_{t-1} + \beta_{h,ENA} u_t) \\ & + I^{ENA} F(\zeta_{t-1}) (\alpha_h + \phi_h(L) x_{t-1} + \beta_h u_t) \\ & + \epsilon_{t+h}\end{aligned}$$

π_t commodity price change (1 among 67 indices)

x_t control variables (global Y_t , global i_t , π_{t-1})

*shock*_t MEI.V2 surprise : $\zeta_t = \alpha + \sum_{n=1}^h \beta_n \zeta_{t-n} + \gamma T_t + u_t$

$\beta_{h,ENA}$ impact of the weather shock in an extrem El Niño state

$$F(\zeta_t) = \frac{\exp(-\gamma \zeta_t)}{1 + \exp(-\gamma \zeta_t)}$$

I^{ENA} = anomalous weather dummy :

- ▶ $I_t^{EN} = 1$ if MEI.v2 < .8 for at least 5 months
- ▶ $I_t^{EN} = 0$ otherwise

⇒ similar approach for La Niña

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Transition function illustration

π_t 1 commodity price change

$$\begin{aligned}\pi_{t+h} = & F(\zeta_{t-1})(\alpha_{h,EN} + \phi_{h,EN}(L)x_{t-1} + \beta_{h,EN} shock_t) \\ & + (1 - F(\zeta_{t-1}))(\alpha_{h,LN} + \phi_{h,LN}(L)x_{t-1} + \beta_{h,LN} shock_t) + \epsilon_{t+h}\end{aligned}$$

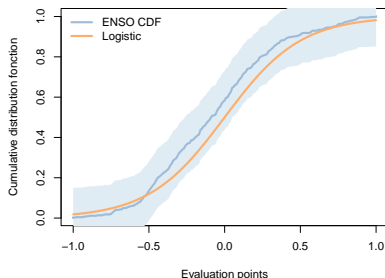
$$F(\zeta_t) = \frac{\exp(\gamma\zeta_t)}{1 + \exp(\gamma\zeta_t)}$$

γ = degree of smoothness of the transition between states

→ the larger γ the faster the regime change

Transition function : γ estimation results

- Transition function : $F(x|\gamma) = \frac{\exp(\gamma x)}{1 + \exp(\gamma x)}$
- Empirical CDF : $\mathcal{F}_\zeta(x) = \frac{1}{n} \sum_{i=1}^n 1_{[\zeta_i < x]}$

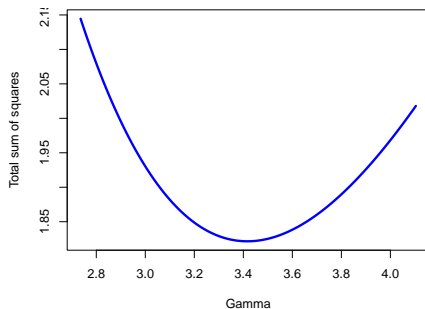


We suggest three alternative criteria to estimate γ : [Estim](#)

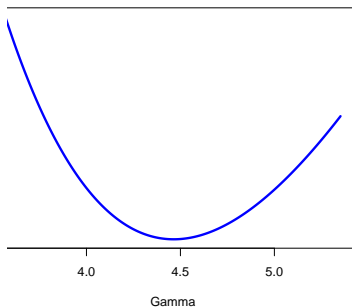
- ▶ Total Sum of Squares : $\hat{\gamma} = 4.328$ [Details TSS](#)
- ▶ Kolmogorov–Smirnov statistic : $\hat{\gamma} = 4.224$ [Details KS](#)
- ▶ Dvoretzky–Kiefer–Wolfowitz Inequality : $\hat{\gamma} = 4.276$ [Details DKW](#)

γ is already changing over time

Figure – Shortening transition times : historical $\hat{\gamma}$



$\hat{\gamma}$ estimated over 1970-1990



$\hat{\gamma}$ estimated over 1990-2010

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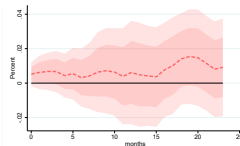
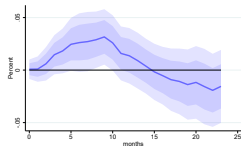
Stress

Figure – Impact of MEI.v2 on commodities

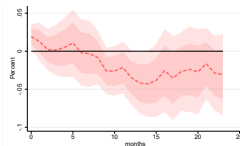
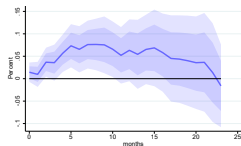
La Niña

El Niño

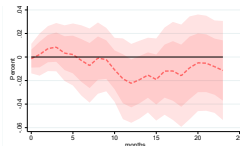
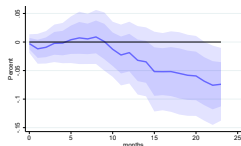
Agriculture index



Energy index



Metals and Minerals index



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Index construction

For each commodity, compared with the benchmark, is the result under stress : less volatile / statistically not different / more volatile ?

Values :

	Extreme events	Faster Transition
El Niño	$\{-1;0;1\}$	$\{-1;0;1\}$
La Niña	$\{-1;0;1\}$	$\{-1;0;1\}$

Figure – Commodity price exposure to the evolution of ENSO : index overview

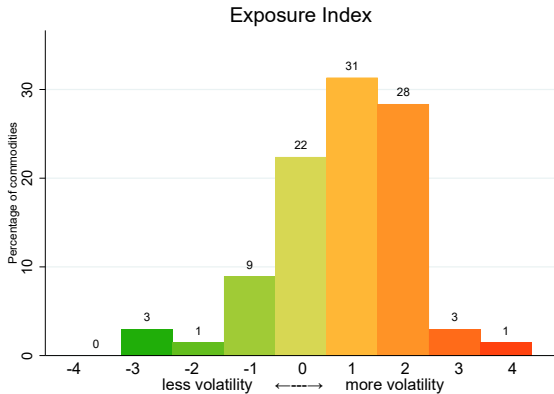


Figure – Changing ENSO patterns impact on commodities

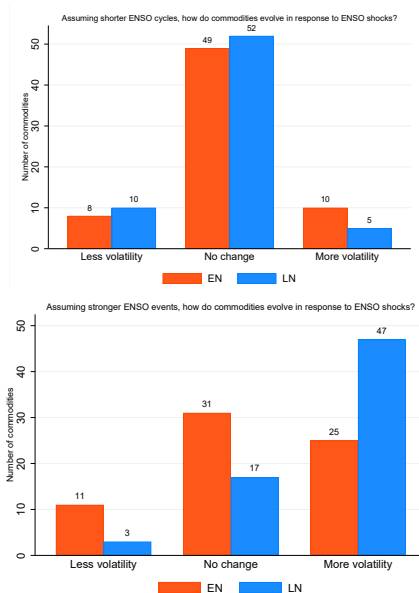
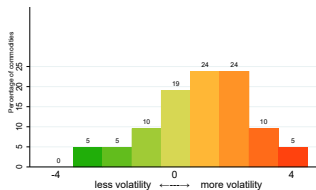
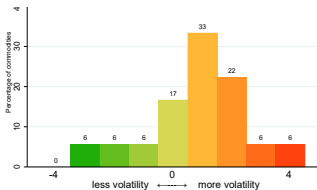


Figure – Commodity price exposure and financialization

BCOM Index

TR CRB Index

Commodities included in the index



Commodities not included in the index

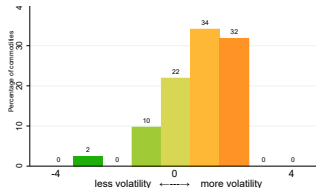
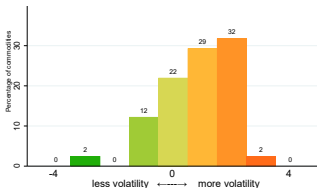
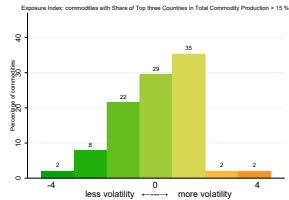
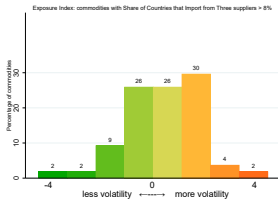


Figure – Commodity price exposure and production concentration

Share of Countries that Import
from Three suppliers

Share of Top three Countries
in Total Commodity Production

Exposure Index : commodities with production concentration



Exposure Index : commodities without production concentration

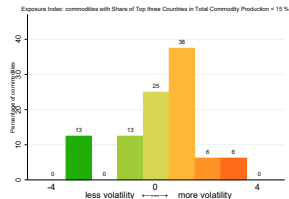
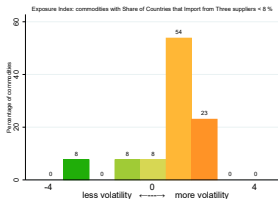


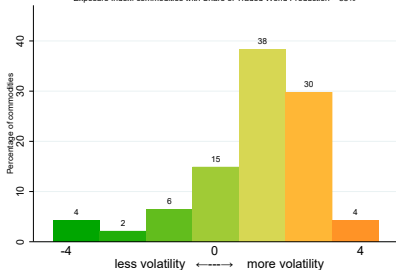
Figure – Commodity price exposure and trade

Share of Traded World Production

Large

Share of Traded

Exposure Index: commodities with Share of Traded World Production > 33%



Limited

Share of Traded

Exposure Index: commodities with Share of Traded World Production < 33%

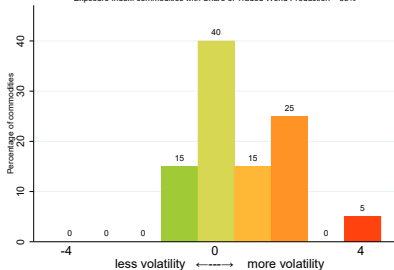
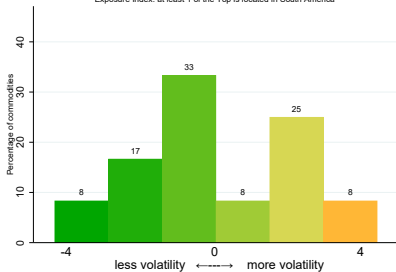


Figure – Commodity price exposure and production concentration in South America

Are Top Three Countries in Total Commodity Production is located in South America ?

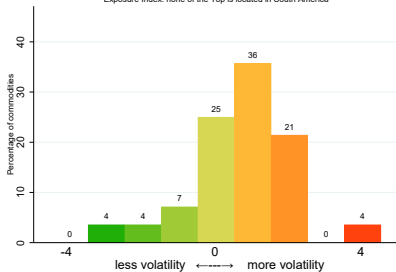
At least 1 of the Top Three

Exposure Index: at least 1 of the Top is located in South America



None of the Top Three

Exposure Index: none of the Top is located in South America



Conclusion

1 global transmission of weather on commodity prices

▶ Results

El Niño and La Niña climatic events have an impact on commodity prices

- more significant impacts at the disaggregated level
- non-linearity

Conclusion

2 the potential effects of climate change on price stability

- ▶ in most cases, climate change is likely to result in greater commodity prices volatility

particularly explained by increased extreme events
(more than frequency of EN/LN cycles)

heterogeneity among commodities
volatility increases with :

- financialization
- production concentration
- low market participation

Conclusion

→ policy implications :

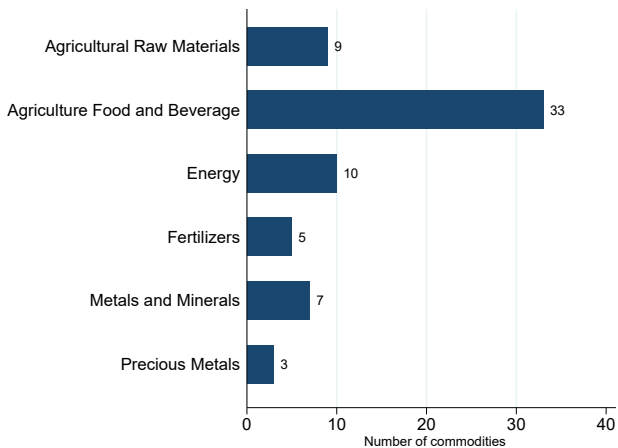
climate change → adaptation

- financial stability :
commodities are integrated into financial products
- price stability :
CB's objective = core inflation, impacted through 2nd round effects
- market fragmentation :
integrated global commodity markets helps managing shocks

Thanks!

Our dataset

Figure – Composition of the commodities data set



Source : World Bank

Transition function : γ estimation

We suggest three alternative criteria to estimate γ :

(1) Total Sum of Squares :

$$\min_{\gamma} Sq = \sum_{i=1}^n [F(x_i|\gamma) - \mathcal{F}_{\zeta}(x_i)]^2$$

(2) Kolmogorov–Smirnov statistic :

$$\min_{\gamma} KS = \sup_x |F(\zeta_t|\gamma) - \mathcal{F}_{\zeta}(x)|$$

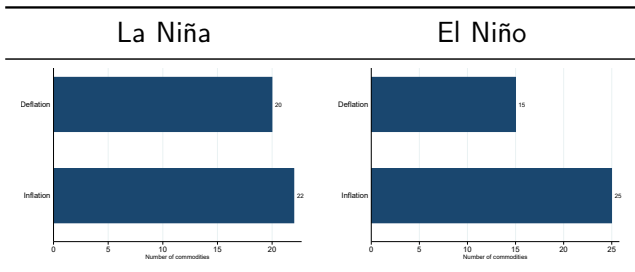
(3) Dvoretzky–Kiefer–Wolfowitz Confidence Interval :

$$\max_{\gamma, \alpha} H(\alpha) = [1] \left(\mathcal{F}_{\zeta}(x) - \epsilon(\alpha) \leq F(\zeta_t|\gamma) \leq \mathcal{F}_{\zeta}(x) + \epsilon(\alpha) \right)$$

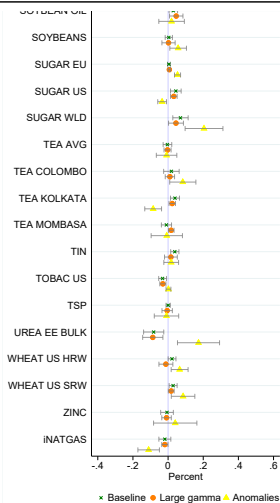
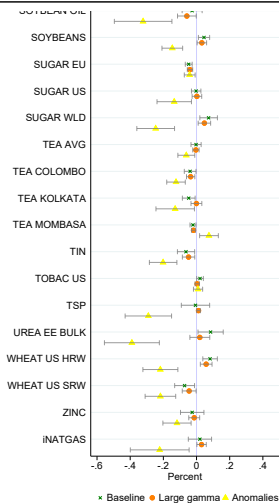
where $\epsilon = \sqrt{\frac{\ln \frac{2}{\alpha}}{2n}}$ and $\alpha \in [0, 1]$

→ the larger α = the tighter the confidence interval that contains F & \mathcal{F}

Figure – Inflationary or deflationary impact of MEI.v2 on commodities



Notes : responses of price indices to 1 sd MEIV2 negative shock during La Niña phase and positive shock during El Niño phase percent, considering significance at 10%, over a total of 67 commodities



Transition function : γ estimation

- Assuming : $X = -1, \dots, x, \dots, 1$
- Transition function : $F(x|\gamma) = \frac{\exp(-\gamma x)}{1 + \exp(-\gamma x)}$
- Empirical CDF : $\mathcal{F}_\zeta(x) = \frac{1}{n} \sum_{i=1}^n 1_{[\zeta_i < x]}$

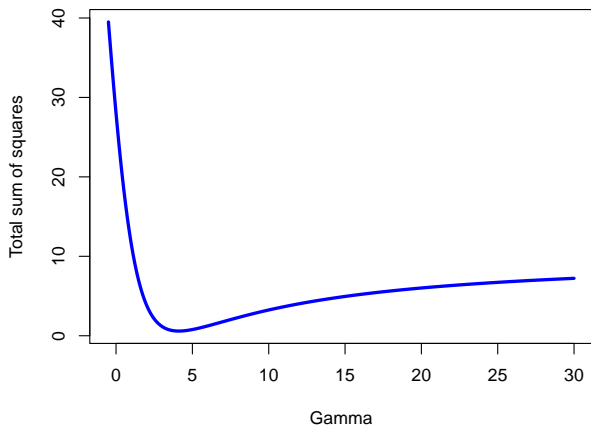
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(1) Total Sum of Squares

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Transition function

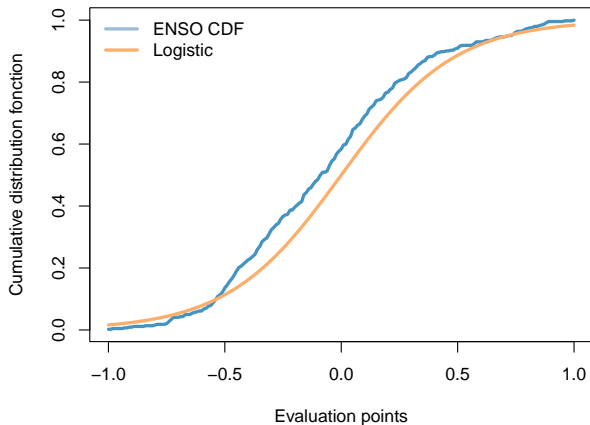
Results Total Sum of Squares



$$\hat{\gamma} = 4.328$$

Transition function

Results Total Sum of Squares



$$\hat{\gamma} = 4.328$$

[Back to gamma results](#)

Transition function : γ estimation

- Assuming : $X = -1, \dots, x, \dots, 1$
- Transition function : $F(x|\gamma) = \frac{\exp(-\gamma x)}{1 + \exp(-\gamma x)}$
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We suggest three alternative criteria to estimate γ :

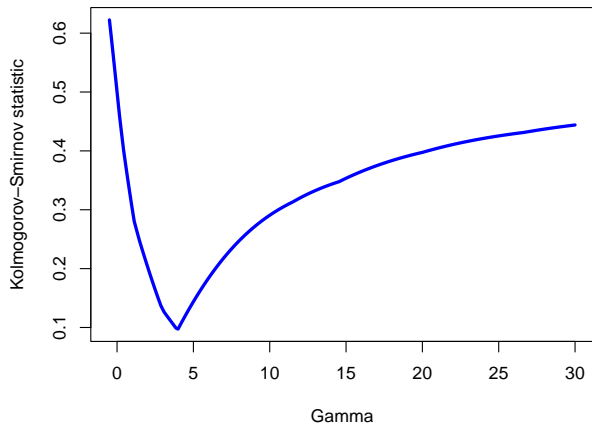
(2) Kolmogorov–Smirnov statistic

$$\min_{\gamma} KS = \sup_x |F(\zeta_t|\gamma) - \mathcal{F}_\zeta(x)|$$

sup is the supremum function \rightarrow focus on the one x_i that gives the biggest gap

Transition function

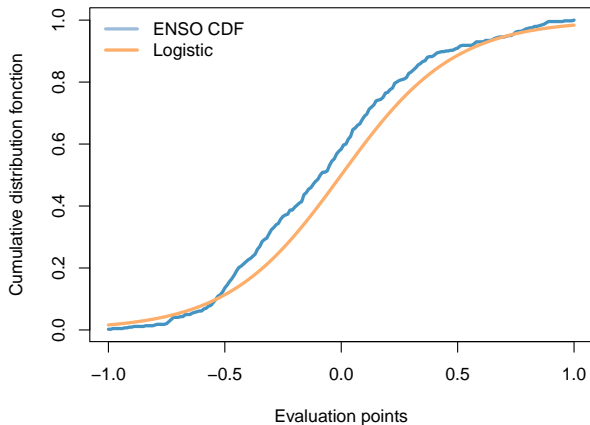
Results Kolmogorov–Smirnov



$$\hat{\gamma} = 4.224$$

Transition function

Results Kolmogorov–Smirnov



$$\hat{\gamma} = 4.224$$

[Back to gamma results](#)

Transition function : γ estimation

- Assuming : $X = -1, \dots, x, \dots, 1$
- Transition function : $F(x|\gamma) = \frac{\exp(-\gamma x)}{1 + \exp(-\gamma x)}$
- Empirical CDF : $\mathcal{F}_\zeta(x) = \frac{1}{n} \sum_{i=1}^n 1_{[\zeta_i < x]}$

We suggest four alternative criteria to estimate γ :

(3) Dvoretzky–Kiefer–Wolfowitz Confidence Interval :

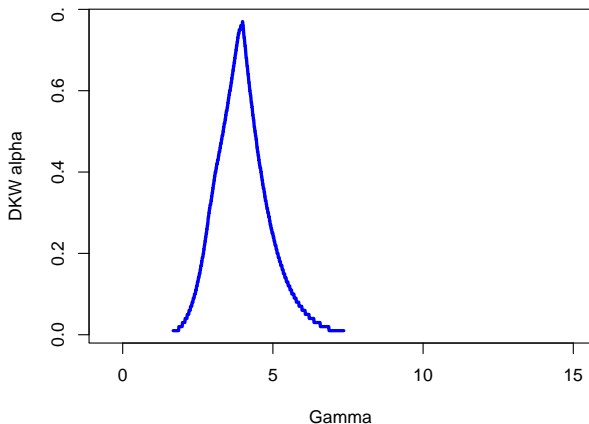
$$\max_{\gamma, \alpha} H(\alpha) = [1] \left(\mathcal{F}_\zeta(x) - \epsilon(\alpha) \leq F(\zeta_t|\gamma) \leq \mathcal{F}_\zeta(x) + \epsilon(\alpha) \right)$$

where $\epsilon = \sqrt{\frac{\ln \frac{2}{\alpha}}{2n}}$ and $\alpha \in [0, 1]$

- identify γ value for which (F & \mathcal{F}) are in a given interval
- larger α = tighter confidence interval

Transition function

Results Dvoretzky–Kiefer–Wolfowitz Inequality

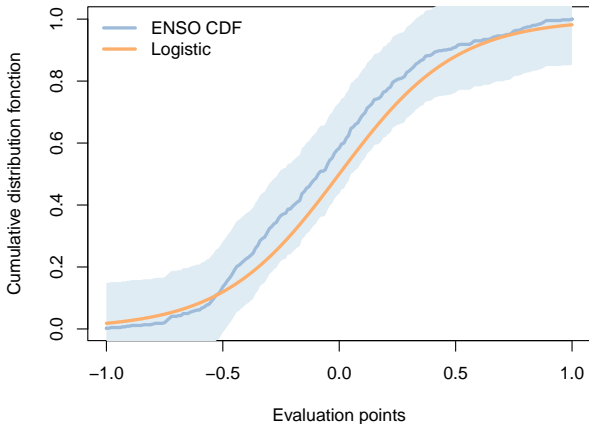


The tightest confidence interval around $\mathcal{F}_\zeta(x)$ that contains $F(\zeta_t|\gamma)$

- ▶ is defined by $\mathcal{F}_\zeta(x) \pm \sqrt{\frac{\ln \frac{2}{.56}}{2n}}$
- ▶ is obtained with $\gamma = 4.276$

Transition function

Results Dvoretzky–Kiefer–Wolfowitz Inequality



$$\hat{\gamma} = 4.276$$

[Back to gamma results](#)