

Climate Policies, Investments, and the Role of Elections

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- ▶ Capital goods in the energy sector characterized by long service life
 - ▶ Power plants
 - ▶ Mines
- ▶ Investments are made under political uncertainty
 - ▶ Political uncertainty caused by election (Trump vs. Biden)
 - ▶ Use of capital goods subject to changing climate policy
 - ▶ Capital goods may end as stranded assets
- ▶ Climate policy may depend on existing capital stock
 - ▶ Politicians concerned about rent distribution
 - ▶ Composition of capital stock affects intensity of climate problem
- ▶ We study the interaction of elections, climate policy and investments by using an OLG-model

Literature

- ▶ Besley and Persson (2024) study the relationship of energy transition, elections and green preferences
- ▶ Karp and Rezai (2014) analyze distributional effects of taxing an open-access resource in an OLG
- ▶ Altruism in an OLG is studied by Goussebaïle (2024)
- ▶ Fuest and Meier (2023) discuss the impact of divergent political goals on climate policy
- ▶ Kalkuhl et al. (2020): No commitment possible, time consistent policies are extreme
- ▶ Political implications of asset stranding rarely discussed
Literature overview: Dulong et al. (2023)
- ▶ Uncertainty with respect to climate policy changes exogenous
van der Ploeg and Rezai (2020), Diluiso et al. (2021), Bretschger and Soretz (2022)

General assumptions

- ▶ Overlapping generation model in discrete time
 - ▶ Young generation y
 - ▶ Old generation o
- ▶ Every generation lives two periods
- ▶ Generation size normalized to unity
- ▶ All individuals j of generation i are identical with the exception of ideological preferences
- ▶ Utility depends on consumption of black energy b_t^{ij} , green energy g_t^{ij} and numéraire good c_t^{ij} , and emission stock E_t :

$$V(b_t^{ij}, g_t^{ij}, c_t^{ij}, E_t, \Psi^{ij}) = \beta \left[b_t^{ij} + g_t^{ij} \right] - \frac{\gamma}{2} \left[b_t^{ij} + g_t^{ij} \right]^2 + c_t^{ij} - hE_t$$

Energy generation

- ▶ Energy generation requires capacities
 - ▶ Green capacity $Q_t \geq g_t^s$
 - ▶ Black capacity $Z_t \geq b_t^s$
- ▶ Capacities in $t + 1$ depend on investments in t

$$Q_{t+1} = q_t$$

$$Z_{t+1} = z_t$$

- ▶ Investments made by young generation
 - ▶ Black investment costs z_t
 - ▶ Green investment costs αq_t
- ▶ No variable costs in case of green energy
- ▶ Flow dependent extraction costs $M(b_t^{sj}) = \frac{m}{2}(b_t^{sj})^2$
- ▶ Emissions stock evolution

$$E_t = \sum_i \sum_j b_t^{ij} + \delta E_{t-1}$$

Young generation

- ▶ Young individuals endowed with exogenous income L
- ▶ Income used for capacity investments, and consumption of numéraire good and energy
- ▶ Budget constraint

$$L + \frac{T}{2} = c_t^{yj} + z_t^j + [\alpha - \sigma_t] q_t^j + p_b b_t^{yj} + p_g g_t^{yj}$$

- ▶ T denotes governmental transfer, p_b black energy price, p_g green energy price and $\sigma_t \in [0, \alpha - 1)$ is green investment subsidy

Old generation

- ▶ Old generation owns capacities
- ▶ Revenue from energy sales determines income
- ▶ Income used for consumption of numéraire good and energy
- ▶ Budget constraint

$$p_b b_t^{sj} - M(b_t^{sj}) - \theta_t b_t^{sj} + p_g g_t^{sj} + \frac{T}{2} = c_t^{oj} + p_b b_t^{oj} + p_g g_t^{oj}$$

- ▶ Carbon tax θ_t

Government and Elections

- ▶ Government

- ▶ Sets carbon tax and investment subsidy
- ▶ No debt
- ▶ Budget constraint

$$T = \theta_t b_t^s - \sigma_t q_t$$

- ▶ Two parties (partisan politicians)

- ▶ Party O represents old generation
- ▶ Party Y represents young generation
- ▶ Ψ^{ij} denotes ideological bias in favor of party Y
 - ▶ Uniformly distributed around mean 0
 - ▶ Density $\xi^i = \xi$
- ▶ χ denotes general popularity of party Y
 - ▶ Uniformly distributed around mean 0
 - ▶ Density v

Government and Elections

- ▶ Elections held at beginning of every period
- ▶ Each party $i = O, Y$ implements policy (θ_t^i, σ_t^i) that maximizes welfare W_t^i of its generation
- ▶ Individual j of generation i votes for party Y if

$$W_t^{iY} + \Psi^{ij} + \chi \geq W_t^{iO}$$

- ▶ Probability of party O to win elections

$$\pi_t = \frac{v}{2} \left\{ \left[W_t^{oO} - W_t^{oY} \right] + \left[W_t^{yO} - W_t^{yY} \right] \right\} + \frac{1}{2}$$

Timing

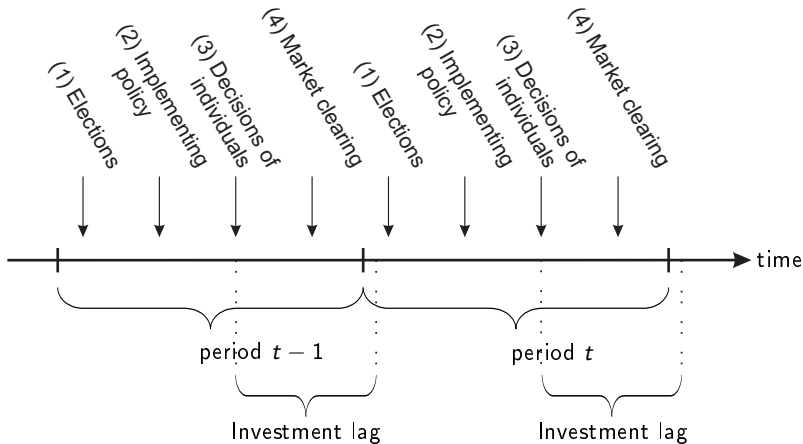


Figure: Timing

Timing

- ▶ Backward induction to solve model
 - Elections: Government of period $t - 1$
 - 1 Investment subsidy rate σ_{t-1}
 - 2 Investments q_{t-1} and z_{t-1}
 - Elections: Government of period t
 - 3 Carbon tax θ_t
 - 4 Energy demand, supply and market equilibrium at t
- ▶ Individuals make investment decisions under uncertainty

Maximization Problem of Old Individual

- ▶ Representative individual maximizes its welfare given the budget constraint and the limited capacities
- ▶ Energy demand

$$D^o(p_t) = \frac{\beta - p_t}{\gamma}$$

- ▶ Black energy supply

$$p_t = mb_t^s + \theta_t + \lambda_b,$$
$$\lambda_b \geq 0, \quad \lambda_b[Z_t - b_t^s] = 0$$

- ▶ Green energy supply

$$p_t = \lambda_g$$
$$\lambda_g \geq 0, \quad \lambda_g[Q_t - g_t^s] = 0$$

Maximization Problem of Young Individual

- ▶ Representative individual maximizes its intertemporal welfare, with ρ as discount factor, given its budget constraint
- ▶ Energy demand

$$D^y(p_t) = \frac{\beta - p_t}{\gamma}$$

- ▶ Aggregated energy demand

$$D(p_t) = 2 \frac{\beta - p_t}{\gamma}$$

Equilibrium

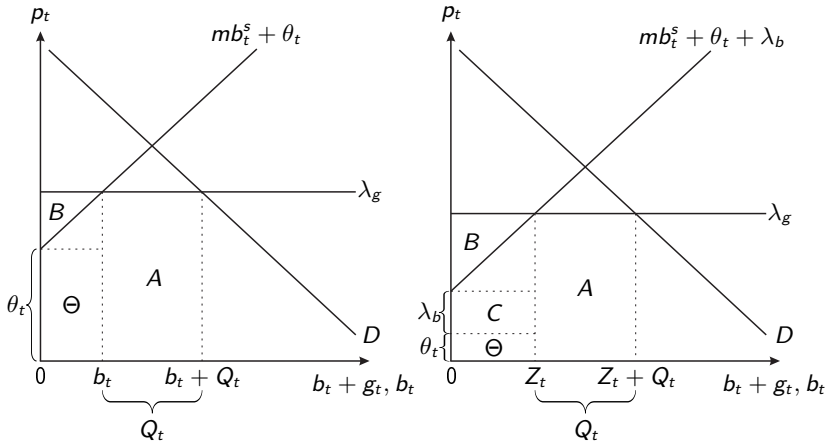


Figure: Equilibrium on the energy market with $b_t^s < Z_t$ (left-hand side) and $b_t^s = Z_t$ (right-hand side)

Preferred carbon tax

- ▶ Party $i = O, Y$ maximizes welfare $W^i(\theta_t^i)$ of generation $i = o, y$
- ▶ Parties take into account
 - ▶ Evolution of the emission stock
 - ▶ Governmental budget constraint
 - ▶ Binding green capacity constraint
 - ▶ $b_t^Y(\theta_t)$, $g_t^Y(\theta_t)$, $b_t^O(\theta_t)$, $g_t^O(\theta_t)$, $p_t(\theta_t)$, $b_t^S(\theta_t)$

$$\theta_t^O = \begin{cases} \theta_t^{Ob} = \frac{4m+\gamma}{2} Q_t + \frac{4m+2\gamma}{\gamma} h - \frac{2m\beta}{\gamma}, & \text{if } b_t^S \leq Z_t, \\ \theta_t^{OZ} = 0, & \text{if } b_t^S = Z_t, \end{cases}$$

$$\theta_t^Y = \begin{cases} \theta_t^{Yb} = -\frac{\gamma}{2} Q_t + \frac{4m+2\gamma}{4m+\gamma} [1 + \rho\delta] h + \frac{2m\beta}{4m+\gamma}, & \text{if } b_t^S \leq Z_t, \\ \theta_t^{YZ} = -\frac{\gamma}{2} Q_t - \frac{2m+\gamma}{2} Z_t + \beta, & \text{if } b_t^S = Z_t. \end{cases}$$

Preferred carbon tax

- ▶ Non-binding capacity constraint
 - ▶ Social planner considers damages of $t, t + 1, \dots$
 - ▶ Old party considers damages in t
 - ▶ Young party considers damages in t and $t + 1$
 - ▶ Neither θ_t^{Ob} nor θ_t^{Yb} is socially optimal
- ▶ Binding capacity constraint
 - ▶ Taxes only redistribute income
 - ▶ θ_t^{OZ} only optimal in knife-edge case
 - ▶ θ_t^{YZ} never optimal

Maximization Problem of Young Individual in $t - 1$

- ▶ Representative young individual maximizes its intertemporal welfare given the budget constraint
- ▶ Uncertainty in $t - 1$ with respect to expected energy price $E(p_t)$, expected fuel tax $E(\theta_t)$, expected black energy supply $E(b_t^s)$
- ▶ First-order conditions

$$\rho E(p_t) = \alpha - \sigma_{t-1}$$

$$\rho [E(p_t) - mE(b_t^s) - E(\theta_t)] = 1$$

- ▶ Perfect foresight
No stranded assets

Imperfect Foresight

- ▶ Party O wins with probability π_t , party Y with probability $1 - \pi_t$
- ▶ Winning party sets either θ_t^{ib} or θ_t^{iZ} , $i = O, Y$
- ▶ Individuals' expectations given by

	θ_t^{Ob}	θ_t^{OZ}
θ_t^{Yb}	(I)	(II)
θ_t^{YZ}	(III)	(IV)

- ▶ Cases (I) and (III) can be ruled out
- ▶ Tax implement by old party $\theta^{OZ} = 0$
- ▶ Tax rate set by Y -government can lead to stranded assets

Imperfect Foresight

- ▶ Case (II)
 - ▶ No stranded assets if $\pi_t \rightarrow 0$
 - ▶ Individuals expect party Y to win with high probability
 - ▶ Investments oriented to θ_t^{Yb}
 - ▶ Stranded assets possible if $\pi_t \rightarrow 1$ and h high
 - ▶ Individuals expect party O to win with high probability
 - ▶ Investments oriented to $\theta_t^{OZ} = 0$
 - ▶ High tax rate θ_t^{Yb} implemented
- ▶ Case (IV)
 - ▶ No stranded assets by definition
- ▶ (II) or (IV)
 - ▶ Young party prefers case (II) policy
 - ▶ Case (II) policy only possible if $\sigma_{t-1} < \tilde{\sigma}_{t-1}$ holds

Exogenous π_t

- ▶ O-government in $t - 1$
 - ▶ Old generation does not benefit from higher capacity in t
 - ▶ Old generation bears 50% of subsidy costs
 - ▶ O-government sets $\sigma_{t-1}^O = 0$
 - ▶ True for endogenous election probability
- ▶ Y-government faces several opposing effects
 - ▶ Lower energy price depresses profits from energy sales
 - ▶ (Possible) Reduction of fuel use reduces profits
 - ▶ More green energy use boosts profits
 - ▶ (Possible) Reduction of fuel use reduces climate damages
 - ▶ (Possible) Reduction of fuel tax boosts profits
 - ▶ (Possible) Reduction of fuel use reduces transfer

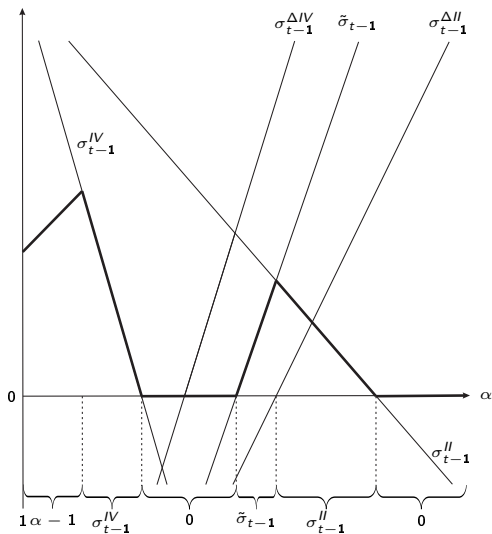


Figure: σ_{t-1} depending on α for small π_t and $\beta - 2[1 + \rho\delta]h$

Exogenous π_t

- ▶ Y-government in period $t - 1$ bind hands of successor for small α and small π_t
 - ▶ Low probability to win elections
 - ▶ High risks of stranded assets
 - ▶ Subsidy used to reduce assets at risk
- ▶ For high π_t , parameter spaces allowing for σ_{t-1}^{II} and σ_{t-1}^{IV} may overlap
- ▶ Y-governments uses σ_{t-1}^{IV} to bind hands of successor if $\alpha > \tilde{\alpha}$
 - ▶ Elections won with high probability
 - ▶ Low risk of stranded assets
 - ▶ Subsidy used in case of expensive green capacity investments to reduce assets at risk

Endogenous π_t

- ▶ No strategic effects for case (IV)
- ▶ No analytical solution for case (II)
- ▶ Numerical example
 - ▶ Endogenous π_t : Subsidy rate $\sigma_{t-1}^s = 2.55645$ and election probability $\pi_t^s = 0.595826$
 - ▶ O-government sets $\tilde{\sigma}_{t-1}^s = 0$ leading to $\tilde{\pi}_t^s = 0.573172$
 - ▶ Exogenous probability $\tilde{\pi}_t^s$: Y-government sets $\check{\sigma}_{t-1} = 2.33646$
- ▶ Strategic effects
 - ▶ With endogenous probability, old generation has more to lose if elections are lost
 - ▶ With endogenous probability, young generation has more to win if elections are won
 - ▶ First effect dominates

- ▶ Overlapping generation model
 - ▶ Individuals invest in black and green capacity
 - ▶ Elections determine climate policy
- ▶ Climate policy used to internalize climate damages and redistribution between generations
- ▶ O -government abstains from climate policy to avoid redistribution to the young
- ▶ Y -government implements climate policy
- ▶ Carbon tax only affects climate damages in t if some black assets strand
 - ▶ Preferred policy of Y -government
 - ▶ Low subsidy rate in $t - 1$ necessary
 - ▶ Low election probability

- ▶ Subsidy rate in $t - 1$ can be used to bind hands of successor
 - ▶ Low reelection probability
Use high subsidy rate in case of cheap green capacity
 - ▶ High reelection probability
Use high subsidy rate in case of expensive green capacity
- ▶ Subsidy rate in $t - 1$ can be used to increase reelection probability
 - ▶ Higher subsidy than with exogenous reelection probability
 - ▶ Potential losses of both generations higher
 - ▶ Effect stronger for old individuals