

Trade, specialization and inflation

Andreas Westermark¹

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¹The views expressed in this paper are solely the responsibility of the author and should not be interpreted as reflecting the views of the Executive Board of Sveriges Riksbank.

- Specialization important trend over time
- Related to market size
- Many aspects of this
 - I focus on monetary policy

This paper

- Studies how optimal inflation, from an optimal taxation perspective, depends on the demand and interacts with the degree of specialization (supply side).
 - Money search framework
- Demand affects inflation directly
- But demand also increases specialization (supply side effects) which in turn affects inflation
 - smaller probability of trade but larger transaction due to lower cost
- Network models: Baqaee, Farhi & Sangani (JPE 2024)
- Preliminary empirical work
- Historical data 1380-1600

The model

- Money search model in the spirit of Lagos & Wright (JPE 2005) - but following Geromichalos & Simonovska (JET 2014)
- Two markets - centralized and decentralized
- The economy consists of n_b buyers, n_s sellers and a government.
- In the decentralized market, a buyer (seller) always stays a buyer (seller)
- Decentralized good heterogenous and buyer only demand subset of all decentralized goods
- Sellers can choose to specialize in production. Then supplies a smaller set of products at lower cost
- CRS meeting technology with meeting probabilities $\alpha_b(n_n, n_s)$ for buyers and $\alpha_s(n_n, n_s)$ for sellers

- Buyers (sellers):
 - care about a subset of decentralized goods consumption q (can produce at cost $c(q, y) = qh(y)$), and centralized goods consumption, X (X^*).
 - y is degree of seller specialization
 - buyer need money to buy goods in the decentralized market
 - also works H (H^*) hours
 - Buyer payoff is

$$u(q) + U(X) - H$$

and seller payoff

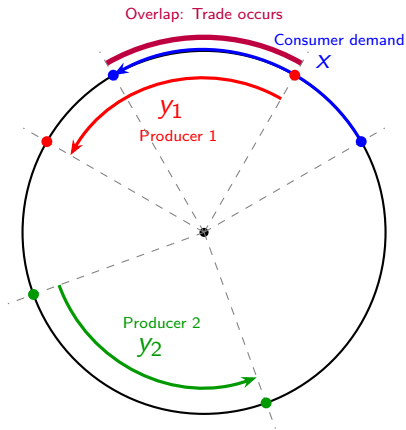
$$-qh(y) - f(y) + U(X^*) - H^*$$

- At the start of the period gov't chooses the inflation rate and sellers the degree of specialization
- Then decentralized market opens
- Then centralized trade take place
- Buyers buy centralized good and money for labor income to be used in next period's decentralized market
- Sellers buy centralized good for labor income and money earned in this period's decentralized market

Decentralized market

- Buyer preferences and seller supply builds on Camera, Reed & Waller (IER 2003)
- Buyers with preference for good i demands good on arc $[i, i + x]$ of circle
- Sellers of type k produces goods in the interval $[k - y/2, k + y/2]$
- Given a meeting between a seller and a buyer, the probability of trade is $p(x, y) = x + y$

Consumer-Producer Preferences on Product Circle



x: Consumer demand
y₁: Producer 1 supply

y₂: Producer 2 supply
Purple: Overlap region

Decentralized quantities

- Kalai Smorodinsky bargaining
- The (relevant part of the) objective for a buyer as

$$J^B(m^B) = [-\psi + \beta\psi'] m^B + \beta\alpha_b p \left[u(q(m^B)) - \Delta \right].$$

- Optimal quantity is, where θ is the seller share of the surplus, when $\beta \rightarrow 1$

$$u'(q) = \frac{\pi + \alpha_b p}{\alpha_b p - \theta(\pi + \alpha_b p)} (1 - \theta) h(y)$$

- Note: q function of y and π

Specialization and Seigniorage choice

- The seller chooses specialization to maximize the *DM* value, treating π as fixed.

$$V^S(0) = \max_y \alpha_{sp} \left[-qh(y) + W^S(m^S) - W^S(0) \right] - f(y) + W^S(0).$$

- Seigniorage is

$$n_b \pi \psi m$$

where $\psi m = \theta u(q) + (1 - \theta) qh(y)$

- Auxiliary function $g(y, \theta)$:

$$u'(q) = \underbrace{\frac{\pi + \alpha_{bp}}{\alpha_{bp} - \theta(\pi + \alpha_{bp})}}_{g(y, \theta)} (1 - \theta)h(y)$$

Equilibria

- Note: If $u(q) = q^\alpha$ and $h(y) = 1 + y$ analysis simplifies.
- **Proposition:** In an interior equilibrium, $\frac{dy}{dn_b} < 0$ and $\frac{d\pi}{dn_b} < 0$.
- **Lemma:** Interior eq. exists for some parameter values
- **Proposition:** The general case: If

$$\frac{3\theta\sigma(q)}{1-\theta} + 1 > -\frac{qu'''(q)}{u''(q)} > \sigma(q) \left(2\theta \frac{u(q)}{qh(y)} + 1 - \theta \right) + \theta g(y, \theta) + 1 - \theta$$

then

$$\frac{d\pi}{dn_b} < 0$$

where $\sigma(q) = -\frac{qu''(q)}{u'(q)}$

Equilibria

- Quadratic prefs $u(q) = aq - \frac{b}{2}q^2$:
- Let $\bar{\theta}$ denote the value of θ where the specialization choice is on the upper bound.
- **Proposition:** There is a $\hat{\theta} < \bar{\theta}$ so that for any $\theta \in (\hat{\theta}, \bar{\theta})$ we have

$$\frac{dy}{dn_b} < 0 \text{ and } \frac{d\pi}{dn_b} > 0$$

if $1 > \eta \left(1 - \frac{f_y(2-x)}{a-(2-x)}b\right)$ where η is the elasticity of the matching function.

Robustness etc

- **Proposition:** Similar if we allow for entry of sellers
- Ramsey policy gives Friedman rule
 - Increase in demand leads to more specialization
- Exogenous changes in specialization:
 - More costly to specialize implies higher inflation (and, trivially, less specialization)

Evidence

- Data from different currency areas in Europe 1380-1600
- Need data for prices (Allen Unger dataset), as well as proxies for specialization and demand
- As a proxy for specialization, we use the number of guilds
- Available for Italy and the low countries
- Have gathered data for several cities in the "Holy Roman Empire"
- Firenze, Milano, Napoli, Antwerpen, Brugge, Leuven, Amsterdam, Leiden, Utrecht, Cologne, Frankfurt am Main, Würzburg, Krakow and Vienna.
- Proxy for demand: population, mainly from the Chandler dataset

- We then estimate the following regression (city i in period t)

$$\log \pi_{it} = \alpha_i + \beta_G \log \hat{G}_{it} + \beta_{pop} \log \hat{x}_{it} + \beta_G \log \hat{G}_{it} * \log \hat{x}_{it} + \beta_S \log \hat{S}_t + \varepsilon_{it}$$

- \hat{G}_{it} the specialization proxy
- \hat{x}_{it} the demand proxy
- \hat{S}_t the London wheat price inflation in terms of silver
- Also other controls
- Instrument: Guilds endogenous in the model
- Members (apprentices) of a guild in a specific city, as part of their education, travelled to other cities to better learn their craft
- Use distance weighted measure of guilds in neighboring cities as instrument

Table: Results from OLS and IV Regressions

	OLS	IV
Specialization	-10.42 (3.498) ^{***}	-17.36 (4.583) ^{***}
Population	-4.544 (1.586) ^{***}	-7.223 (2.001) ^{***}
Interaction	1.190 (0.400) ^{***}	1.955 (0.520) ^{***}
Silver price	0.200 (0.116) [*]	0.137 (0.125)
Commune	0.628 (0.437)	0.879 (0.513) [*]
Dummies:		
City FE	YES	YES
R^2	0.52	0.49

*/**/*** Denotes significance on the 10/5/1 percent level from zero. Standard errors inside parentheses

Effects of changes in demand (population)

- Bootstrap - influenced by Mediation analysis
- Take into account effects of changes in demand/population on specialization through first stage
- Baseline: Effect 0.824 with se 0.189 (without interaction negative)
- Effect of an exogenous change in specialization: -82.56 with se 0.917

Conclusions

- Study money search model that describes the relationship between trade, specialization and seigniorage
- Finds that increases in demand leads to lower/higher inflation and more specialization
- Also looks at data for the period 1380-1600 for several currency areas
- Increase in demand leads to higher inflation
- Increases in specialization leads to lower inflation

Table: Results from OLS and IV Regressions

	No specialization	No interaction
Specialization		1.179 (0.657)*
Population	-0.086 (0.240)	-0.997 (0.529)*
Silver price	0.312 (0.141)**	0.272 (0.138)**
Commune	0.205 (0.427)	0.305 (0.434)
Dummies:		
City FE	YES	YES
R^2	0.45	0.42

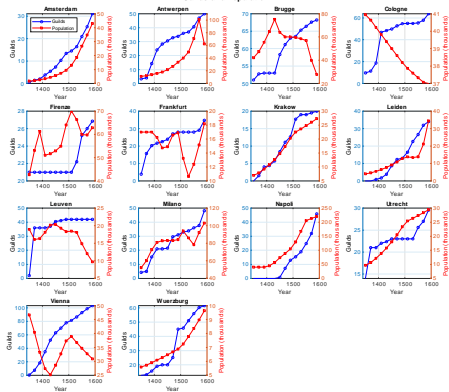
*/**/*** Denotes significance on the 10/5/1 percent level from zero. Standard errors inside parentheses

First stage

Table: Results from OLS and IV Regressions

	Specialization	Interaction
Specialization instr	4.708 (1.154) ^{***}	37.98 (9.693) ^{***}
Population	0.875 (0.183) ^{***}	10.74 (1.580) ^{***}
Interaction instr	0.402 (0.108) ^{***}	-3.156 (0.914) ^{***}
Silver price	0.016 (0.021)	0.212 (0.206)
Commune	0.059 (0.105)	0.482 (1.108)
City FE	YES	YES
F-test excluded instr	14.37	15.45

Guilds and Population



Gulds and Inflation

