

Forecasting with the Help of Survey Information

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The views expressed are those of the authors and do not necessarily reflect those of Lietuvos bankas or the Eurosystem.

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This paper: Can we efficiently combine surveys and models to improve *real time* forecasts?

Ex-post adjustment: estimate a model, produce forecasts with it, *then* adjust them with external information. Examples include:

- *Entropic tilting*: Galvão et al. (2021), Ganics and Odendahl (2021), Robertson et al. (2005), and Tallman and Zaman (2020)
- *Optimal pooling*: Ang et al. (2007) and Bańbura, Brenna, et al. (2021)
- *Incorporate survey forecasts in structural models*: Monti (2010) and Svensson (2005)

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This paper: incorporate the survey forecasts *directly into* a reduced form model in order to get more precise estimates, and, therefore, improve forecasts.

- We combine SPF forecasts (multiple variables & horizons) with observed data to estimate more precise *model parameters*.

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- We run a recursive out-of-sample forecasting exercise using a BVAR model with stochastic volatility (SV), **augmented with SPF forecasts**.
- We assess gains over a standard BVAR+SV **without** survey info — considering both *point forecasts* and *density forecasts*.

Starting point is a **VAR(p)+SV**:

$$y_t = c + \beta_1 y_{t-1} + \dots + \beta_p y_{t-p} + A_0^{-1} \Lambda_t e_t \quad (1)$$

SV

Starting point is a **VAR(p)+SV**:

$$y_{t-1} = c + \beta_1 y_{t-2} + \dots + \beta_p y_{t-p-1} + A_0^{-1} \Lambda_{t-1} e_{t-1} \quad (1)$$

To which we add *SPF forecasts* done at **time t** (latest obs is $t - 1$)

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for nowcast $y_{t|t} = c + \beta_1 y_{t-1} + \dots + \beta_p y_{t-p} + A_0^{-1} \Lambda_{t|t} e_{t|t} \quad (2)$

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⋮

$$\text{for horizon } h \quad y_{t+h|t} = c + \beta_1 y_{t+h-1|t} + \dots + \beta_p y_{t+h-p|t} + A_0^{-1} \Lambda_{t+h|t} e_{t+h|t} \quad (3)$$

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$$\vdots$$

$$\text{for horizon } h \quad y_{t+h|t} = c + \beta_1 y_{t+h-1|t} + \dots + \beta_p y_{t+h-p|t} + A_0^{-1} \Lambda_{t+h|t} e_{t+h|t} \quad (3)$$

$e_{t|t}, \dots, e_{t+h|t}$ represent i.i.d. *judgement* as in Brenna and Budrys (2024)

Matrix form

SV

ECB Survey of Professional Forecasters and ECB Real-Time Database

- Sample 1990q1-2024q3
- **4 variables:** real GDP growth, unemployment rate, HICP inflation, 3-m Euribor
- At each quarter q , observed data (four variables) and forecasts (*only* for GDP and HICP) at different horizons. 4q-ahead always present, fixed event forecast with varying horizons.
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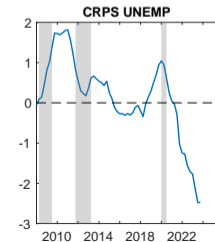
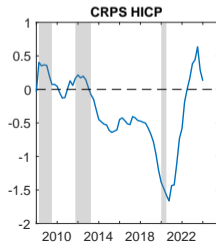
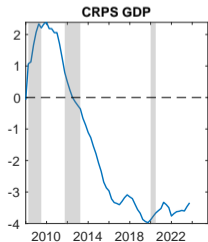
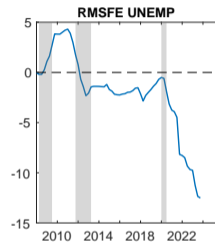
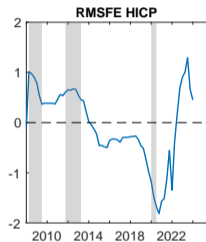
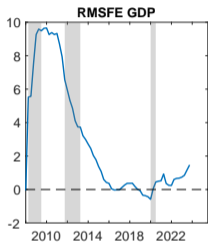
Evaluation:

- Recursive estimation from **2007q2**; forecast evaluation from **2007q3 to 2024q3**
- Comparison of two models:
 - *Baseline*: standard BVAR with stochastic volatility (SV)
 - *S-BVAR (Proposed)*: BVAR with SV + **survey information**

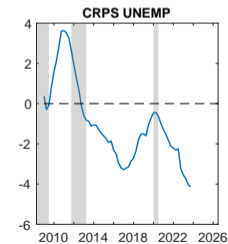
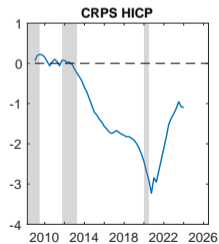
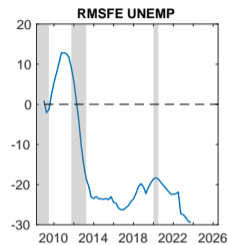
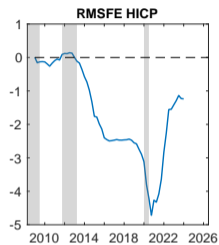
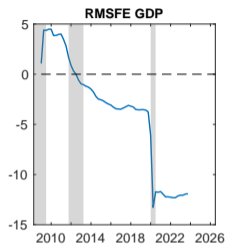
Horizon	h=0	h=1	h=2	h=3	h=4	h=5	h=6	h=7	h=8
<i>GDP</i>									
RMSFE	1.05	0.99	1.01	0.99	1.00	1.00	0.99	0.99	0.98
CRPS	0.98	0.95	0.94	0.90	0.94	0.94	0.91	0.89	0.92
<i>HICP</i>									
RMSFE	1.23	1.05	1.03	0.96	1.01	0.98	0.98	0.97	0.98
CRPS	1.13	1.03	1.00	0.96	1.01	0.97	0.95	0.94	0.95
<i>Unemployment</i>									
RMSFE	1.07	1.03	0.96	0.91	0.90	0.90	0.90	0.90	0.90
CRPS	1.02	1.04	0.98	0.94	0.93	0.93	0.93	0.93	0.93

Note: The table shows accuracy metrics in relative terms, with the BVAR model at the denominator and the Survey-augmented BVAR (S-BVAR) at the numerator. Values smaller than one indicate that the latter model is more accurate on average over the sample for the respective horizon.

Alternative



Forecast performance at 2-year-ahead



- We use a parsimonious and efficient way to incorporate survey forecasts into a VAR model with stochastic volatility;
- The added information content allows for sharper parameter estimates;
- In particular, larger gains using:
 - SPF average point forecasts between nowcast and four quarters ahead;
 - SPF GDP and HICP forecast;
- S-BVAR does best:
 - for horizons between four and eight quarters ahead;
 - from density perspective;
 - for GDP and unemployment forecasts.

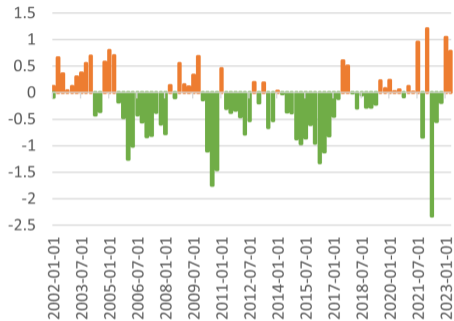
Thank you!

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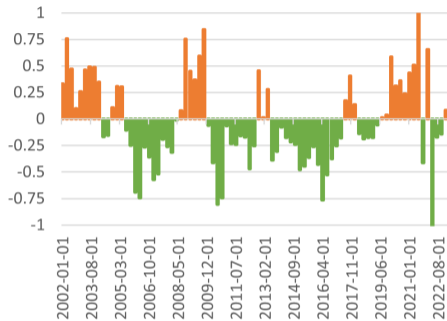
Background slides

Forecast performance at 1-year-ahead: Real GDP



■ Model without survey is better
■ Model with survey is better

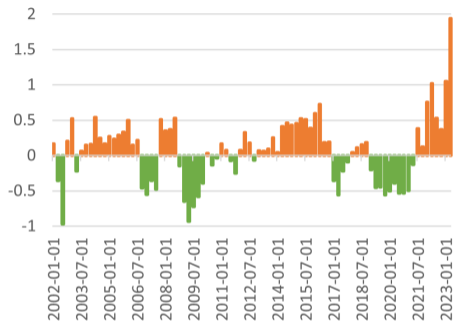
(a) Differences in RSFE



■ Model without survey is better
■ Model with survey is better

(b) Differences in CRPS

Forecast performance at 1-year-ahead: HICP



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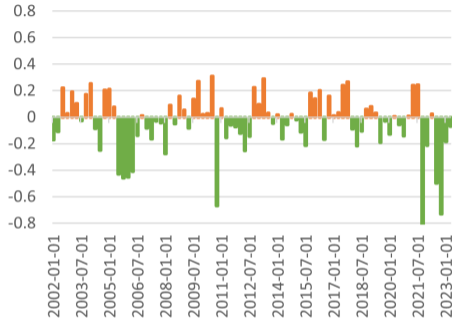
(a) Differences in RSFE



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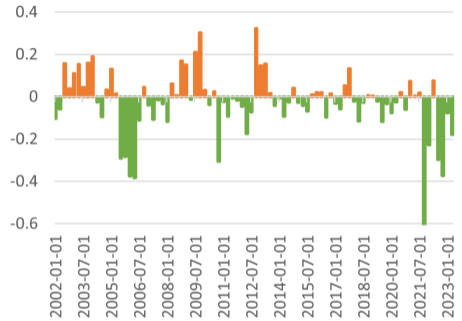
(b) Differences in CRPS

Forecast performance at 1-year-ahead: Unemployment



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■ Model with survey is better

(a) Differences in RSFE



■ Model without survey is better
■ Model with survey is better

(b) Differences in CRPS

Back

$$\begin{aligned}
 & + \begin{bmatrix} 1 & 0 & \beta_{11} & \beta_{12} \\ 0 & 1 & \beta_{21} & \beta_{22} \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix} \mathbf{B}_{*,2}^{[1:6,1:2]} \begin{bmatrix} A_{0,11}^{-1} & A_{0,12}^{-1} & 0 & 0 & 0 & 0 \\ A_{0,21}^{-1} & A_{0,22}^{-1} & 0 & 0 & 0 & 0 \\ 0 & 0 & A_{0,11}^{-1} & A_{0,12}^{-1} & 0 & 0 \\ 0 & 0 & A_{0,21}^{-1} & A_{0,22}^{-1} & 0 & 0 \\ 0 & 0 & 0 & 0 & A_{0,11}^{-1} & A_{0,12}^{-1} \\ 0 & 0 & 0 & 0 & A_{0,21}^{-1} & A_{0,22}^{-1} \end{bmatrix} \begin{bmatrix} \mathbf{c}_{*,2} \\ \mathbf{c}_{*,1} \\ \mathbf{c}_{*,0} \end{bmatrix} + \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix} \mathbf{B}_{*,3}^{[1:6,1:2]} \begin{bmatrix} y_{t+1|t} \\ \pi_{t+1|t} \\ y_{t|t} \\ \pi_{t|t} \\ y_{t-1} \\ \pi_{t-1} \end{bmatrix} \\
 & \begin{bmatrix} \exp(\lambda_{1,t+1|t})e_{t+1|t}^y \\ \exp(\lambda_{2,t+1|t})e_{t+1|t}^\pi \\ \exp(\lambda_{1,t|t})e_{t|t}^y \\ \exp(\lambda_{2,t|t})e_{t|t}^\pi \\ \exp(\lambda_{1,t-1})e_{t-1}^y \\ \exp(\lambda_{2,t-1})e_{t-1}^\pi \end{bmatrix}
 \end{aligned}$$

Back

$B_{*,2}$ and $B_{*,3}$ represent the second and third power of matrix B_* , respectively:

$$B_* = \begin{bmatrix} \beta & 0_{N \times N(m-p)} \\ N \times Np & \\ I_{N(m-1)} & 0_{N(m-1) \times N} \end{bmatrix}_{Nm \times Nm} \quad (4)$$

where $m = \max(H + 1, p)$.

Back

For real GDP and HICP inflation, we observe:

$$X_{t,OBS}^A = \left[\frac{\frac{1}{4} \left(Y_t^{(1)} + Y_t^{(2)} + Y_t^{(3)} + Y_t^{(4)} \right)}{\frac{1}{4} \left(Y_{t-1}^{(1)} + Y_{t-1}^{(2)} + Y_{t-1}^{(3)} + Y_{t-1}^{(4)} \right)} - 1 \right] \cdot 100 \quad (5)$$

After calculations:

$$\begin{aligned} \log \left(\frac{X_{t,OBS}^A}{100} + 1 \right) &= \frac{1}{4} \left[\log \left(\frac{Y_t^{(4)}}{Y_t^{(3)}} \right) + 2 \log \left(\frac{Y_t^{(3)}}{Y_t^{(2)}} \right) + 3 \log \left(\frac{Y_t^{(2)}}{Y_t^{(1)}} \right) + 4 \log \left(\frac{Y_t^{(1)}}{Y_{t-1}^{(4)}} \right) \right. \\ &\quad \left. + 3 \log \left(\frac{Y_{t-1}^{(4)}}{Y_{t-1}^{(3)}} \right) + 2 \log \left(\frac{Y_{t-1}^{(3)}}{Y_{t-1}^{(2)}} \right) + \log \left(\frac{Y_{t-1}^{(2)}}{Y_{t-1}^{(1)}} \right) \right] \end{aligned} \quad (6)$$

For real GDP and HICP inflation we observe:

$$X_{t,\text{OBS}}^Q = \left(\frac{Y_t^{(1)}}{Y_{t-1}^{(1)}} - 1 \right) \cdot 100 \quad (7)$$

After calculations:

$$\log \left(\frac{X_{t,\text{OBS}}^Q}{100} + 1 \right) = \log \left(\frac{Y_t^{(1)}}{Y_{t-1}^{(1)}} \right) + \log \left(\frac{Y_{t-1}^{(4)}}{Y_{t-1}^{(3)}} \right) + \log \left(\frac{Y_{t-1}^{(3)}}{Y_{t-1}^{(2)}} \right) + \log \left(\frac{Y_{t-1}^{(2)}}{Y_{t-1}^{(1)}} \right) \quad (8)$$

We set the law of motion of stochastic volatility to follow AR(1) process

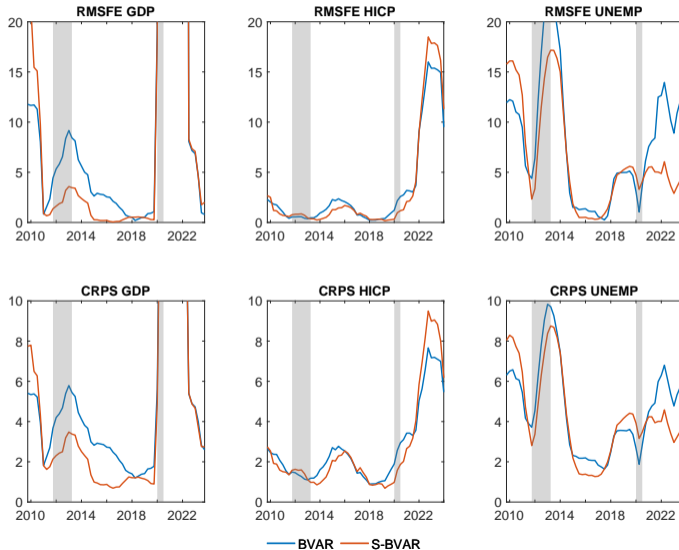
$$\lambda_t = \rho\lambda_{t-1} + u_t, \quad u_t \sim \mathcal{N}(0, \sigma_u^2) \quad (9)$$

To simplify, we assume agents form expectations based on the unconditional path of volatility, that is,

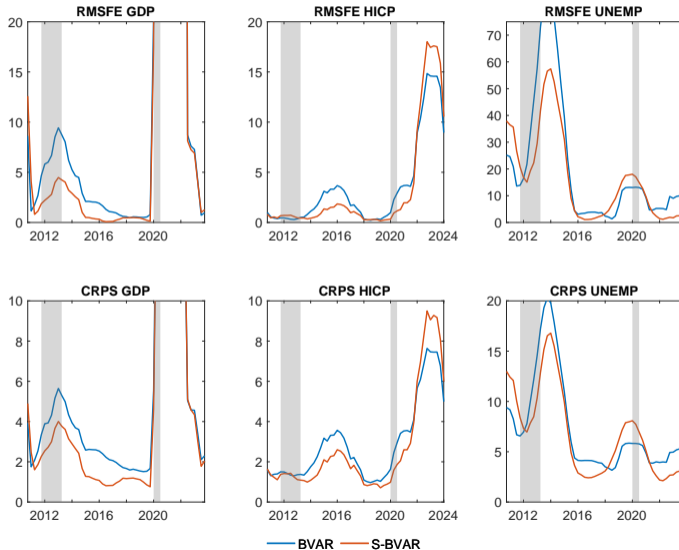
$$\lambda_{t+j|t} = \rho^j \lambda_{t-1} \quad \forall j = 0, \dots, h \quad (10)$$

implying that respondents do not assume any conditionality about future uncertainty

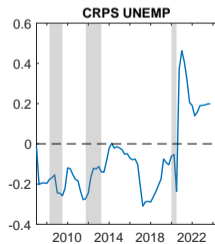
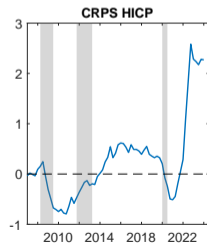
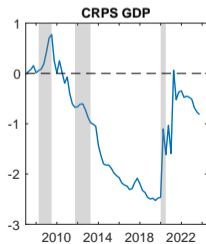
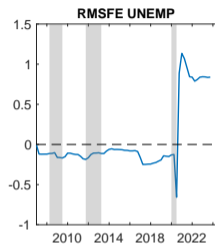
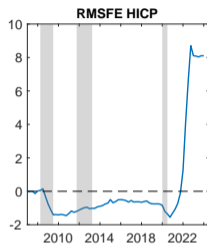
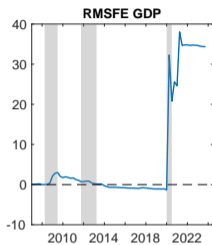
$$u_{t+j|t} = 0 \quad \forall j = 0, \dots, h \quad (11)$$



Absolute Rolling Scores at $h=8$



Forecast performance at one-quarter-ahead

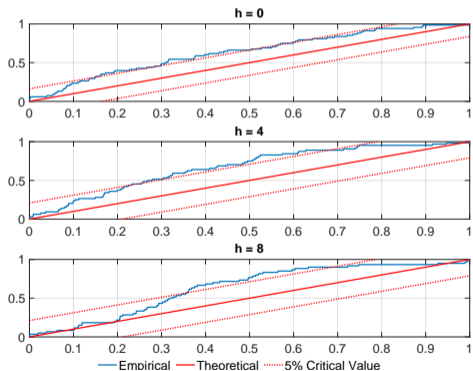


Horizon	h=0	h=1	h=2	h=3	h=4	h=5	h=6	h=7	h=8
<i>GDP</i>									
RMSFE	1.0177	1.0049	1.0095	1.0059	1.0247	1.0304	1.0281	1.0514	1.1152
CRPS	1.0268	1.0366	1.0357	1.017	1.0673	1.0839	1.0563	1.0863	1.1819
<i>HICP</i>									
RMSFE	1.2858	1.1176	1.1048	0.993	1.0752	1.1837	1.115	1.008	1.1512
CRPS	1.1942	1.1069	1.0865	1.0103	1.0839	1.1269	1.0582	0.9906	1.0856
<i>Unemployment</i>									
RMSFE	0.9849	1.0252	1.0163	1.0081	1.0078	1.0189	1.0308	1.0456	1.0587
CRPS	1.0024	1.0326	1.0324	1.0291	1.0287	1.0411	1.0521	1.0626	1.077

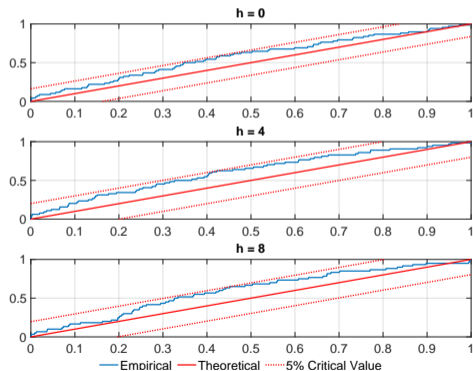
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Horizon	h=0	h=1	h=2	h=3	h=4	h=5	h=6	h=7	h=8
<i>GDP</i>									
RMSFE	1.0469	1.0091	1.0179	0.9913	1.0171	1.023	1.0031	1.0265	1.0931
CRPS	0.9966	1.0021	0.9732	0.9082	0.9786	0.9951	0.9363	0.9583	1.0903
<i>HICP</i>									
RMSFE	1.0193	1.0752	1.1089	1.0434	1.0926	1.1987	1.1513	1.0193	1.142
CRPS	1.0296	1.1087	1.1206	1.0709	1.1198	1.1786	1.1344	1.0544	1.1132
<i>Unemployment</i>									
RMSFE	0.947	0.9328	0.9119	0.8961	0.8989	0.8901	0.8857	0.8794	0.8844
CRPS	0.9636	0.9608	0.9441	0.9352	0.9405	0.9364	0.931	0.9205	0.9253

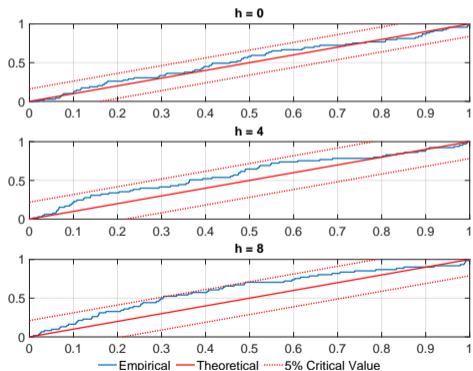
(a) Baseline



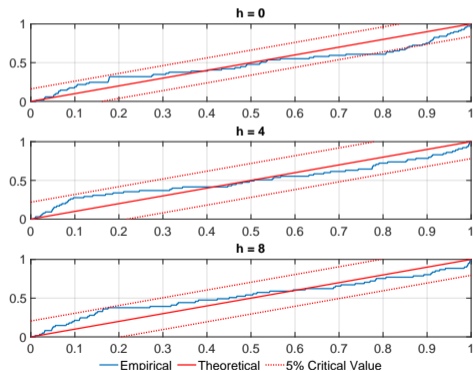
(b) S-BVAR



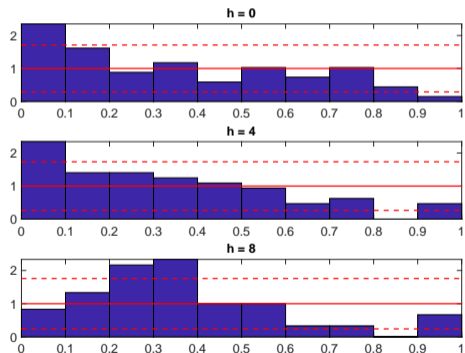
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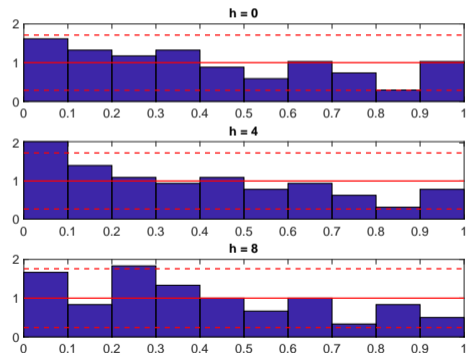
(b) S-BVAR



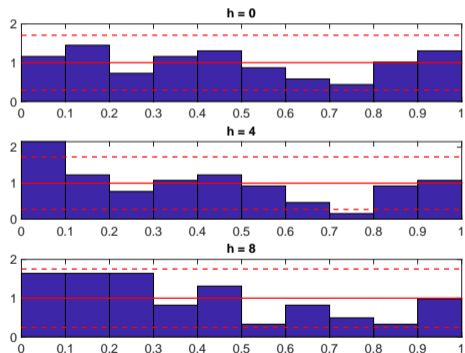
(a) Baseline



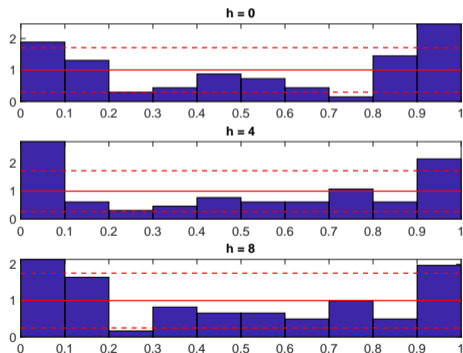
(b) S-BVAR



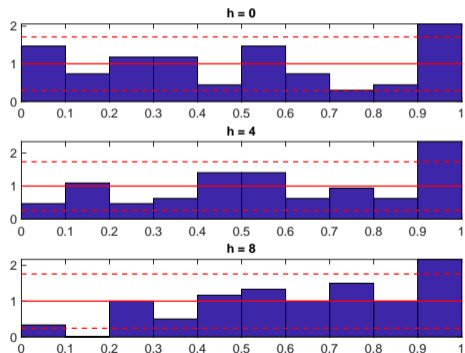
(a) Baseline



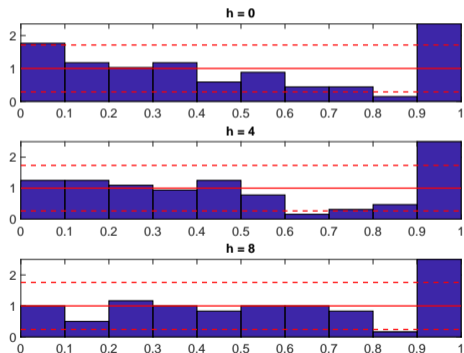
(b) S-BVAR



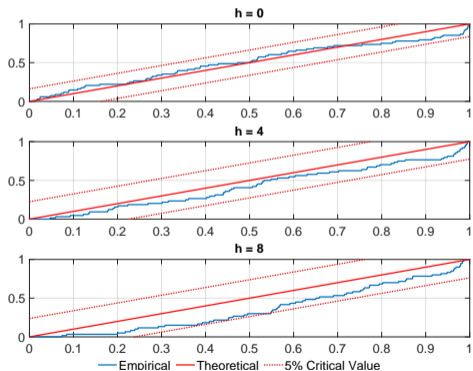
(a) Baseline



(b) S-BVAR



(a) Baseline



(b) S-BVAR

