

Political Competition and Climate Policy: A Dynamic Game of Pollution Control

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Draft: Comments welcome

Motivation & Overview

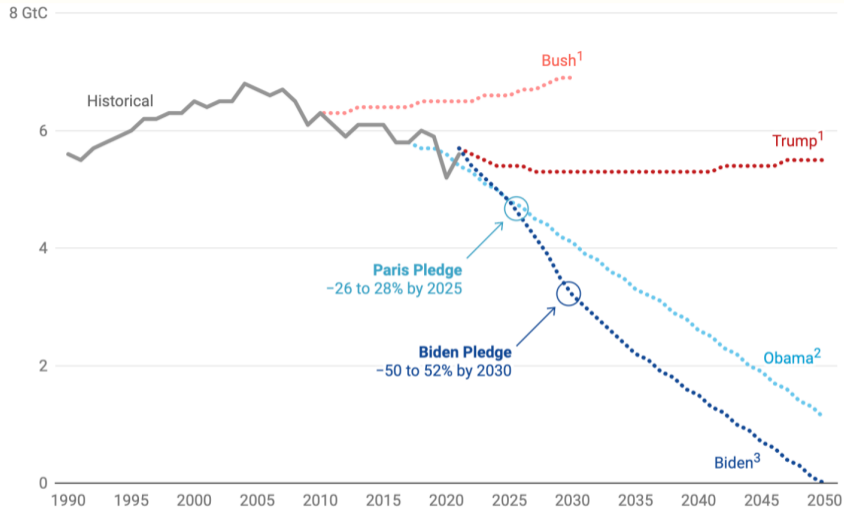


Figure: From Higgins et al. (2024)

Motivation

- Climate policy can switch drastically with changes in administration or leadership
- Political parties differ in ideology on taxation, regulation, and the urgency of environmental protection
- Substantial *long-run* negative externalities from pollution, but electoral incentives tend to be short-run
- **Goal:** Present a *dynamic game* of political pollution control with policy-motivated parties

Research Questions

- How do two *policy-motivated* parties (Green vs. Brown) set emission taxes?
- How does the electorate's **time horizon** (myopic vs. forward-looking) shape equilibrium policies?
- When do outcomes deviate from a *social planner* benchmark, and how large are welfare losses?
- How do **polarization** and **issue salience** affect pollution levels and volatility?

Model Setup

Dynamics

- **Discrete time:** $t = 0, 1, 2, \dots$

- Pollution stock P_t evolves via:

$$P_{t+1} = e(\tau_t) + (1 - \delta) P_t, \quad \delta \in (0, 1)$$

- Two policy-motivated parties: $i \in \{1, 2\}$ (brown vs. green)

- Each period:

1. Parties propose taxes $(\tau_{t,1}, \tau_{t,2})$
2. Voters choose which party wins (probabilistically)
3. Winning party's tax is implemented
4. Next period pollution depends on that tax

Voter – Utility and Consumption Decisions

- Unit mass of voters, each with susceptibility to climate damages parameter $\gamma_k \sim \text{Uniform}[0, 1]$
- Per-period utility of consumption x_k :

$$U_k(x_k, P) = \phi(x_k) - \tau x_k - \frac{\gamma_k}{2} P^2,$$

with isoelastic utility

$$\phi(x) = \frac{x^{1-\sigma}}{1-\sigma}.$$

- Each voter infinitesimally small \rightarrow disregard their impact on pollution
- Each period's utility maximizing pollution level is determined by the period's tax rate

$$x_k^*(\tau) = x^*(\tau) = \tau^{-\frac{1}{\sigma}}$$

Voter – 'Dictatorial' intertemporal problem

- Unit mass of voters with identical benefits implies:

$$\underbrace{x_k^*(\tau)}_{\text{individual emissions consumption}} = \underbrace{e(\tau)}_{\text{aggregate emissions consumption}}$$

- $b(\tau) = B(e(\tau)) = \phi(e(\tau)) - \tau e(\tau)$, net consumption benefit/indirect utility
- Benchmark dynamic problem of a 'dictator'

$$V_k(P) = \max_{\tau \in \mathcal{S}} \left\{ b(\tau) - \frac{\gamma_k}{2} P^2 + \rho V_k(P') \right\}$$

Elections – Probabilistic Voting and Voter Horizons

- Best case: Voters know parties' equilibrium strategies when voting & parties know voters' voting probabilities \Rightarrow **circularity problem** (Party strategies depend on voter behavior, which depends on party strategies)
- **Assumption** on voter policy evaluation:

$$W_k(\tau, P; h) = b(\tau) - \frac{\gamma_k}{2} P^2 - \rho \frac{\gamma_k}{2} \left(e(\tau) + (1 - \delta)P \right)^2 \quad (\text{direct effects})$$
$$- \rho \frac{\gamma_k}{2} \sum_{t=1}^h \rho^t \left((1 - \delta)^t e(\tau) + (1 - \delta)P \right)^2 \quad (\text{accumulating effects})$$

Elections – Probabilistic Voting and Voter Horizons

- Voting decisions based on discrete choice framework – probability of voting for party i depends on difference in utilities $\Delta W_k(\tau_i, \tau_j, P; h)$:

$$P_k^i = \frac{1}{1 + \exp(-\xi [W_k(\tau_i) - W_k(\tau_j)])}. \quad \text{▶ Discrete Choice}$$

- Probability of party i being elected: $\theta_i(\tau_i, \tau_j, P) = \int P_k^i dF(\gamma_k)$

Intertemporal Party Problem

- **Party** $i \in \{1, 2\}$ characterized by exogenously given damage parameter Γ_i (usually assume $\Gamma_1 < \gamma_{\text{med}} < \Gamma_2$)
 - E.g. due to differences in party platforms and voter bases.
- **Bellman equation:**

$$V_i(P) = \max_{\tau_i \in \mathcal{S}} \left\{ \theta_i(\tau_i, \tau_j, P) \underbrace{\left(b(\tau_i) + \rho V_i(P'(\tau_i)) \right)}_{\text{benefit of winning}} \right. \\ \left. + \left(1 - \theta_i(\tau_i, \tau_j, P) \right) \underbrace{\left(b(\tau_{-i}) + \rho V_i(P'(\tau_{-i})) \right)}_{\text{benefit of losing}} \right. \\ \left. - \frac{\Gamma_i}{2} P^2 \right\} .$$

Numerical Implementation Sketch

- Discretize $P \in [0, P_{\max}]$
- Guess $V_i^n(P)$ for each i ; solve best-response $\tau_i^n(\tau_j, P, V_i^n)$
- Find Nash equilibria: $(\tau_1, \tau_2) = \left(\varphi_1^n(P; V_1^n), \varphi_2^n(P; V_2^n) \right)$
- Update $V_i^{n+1}(P)$ using Nash equilibria policies
- Iterate until convergence. Then:

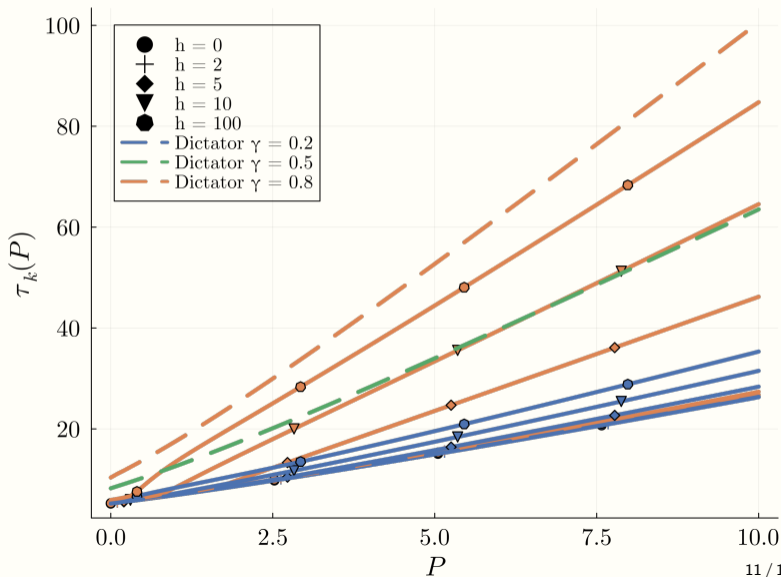
$$\tau_i^*(P), \tau_j^*(P) \quad \text{and} \quad V_i^*(P), V_j^*(P)$$

define the equilibrium.

Key Numerical Findings

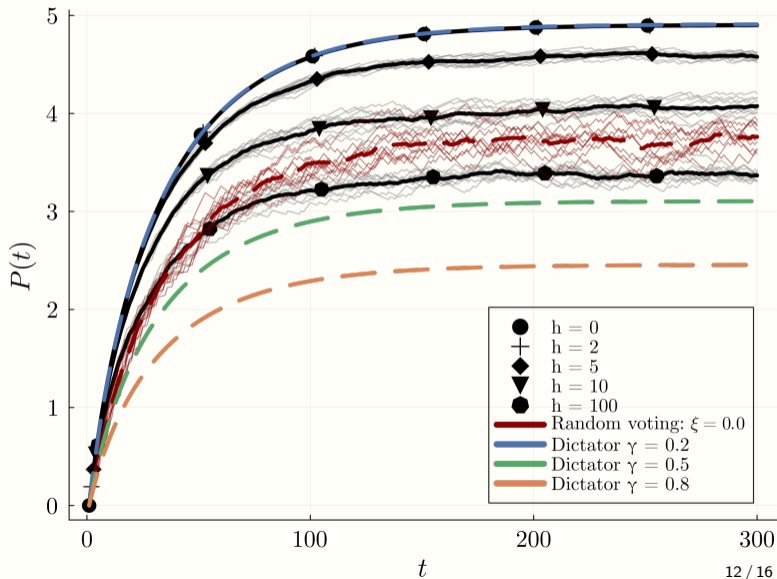
Policy Functions

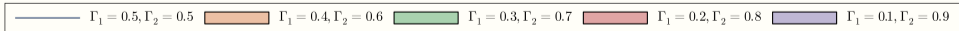
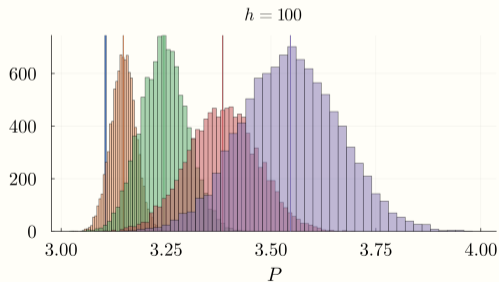
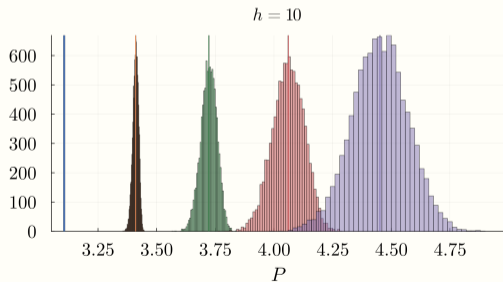
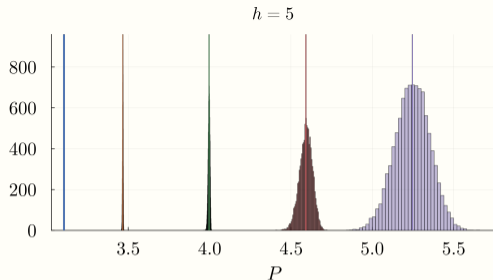
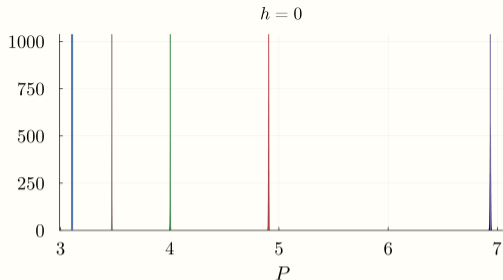
- With short voter horizons, the green party must propose taxes *very close* to the brown party's to stay competitive
- As horizon increases, green can be more ambitious; brown also raises tax but less so

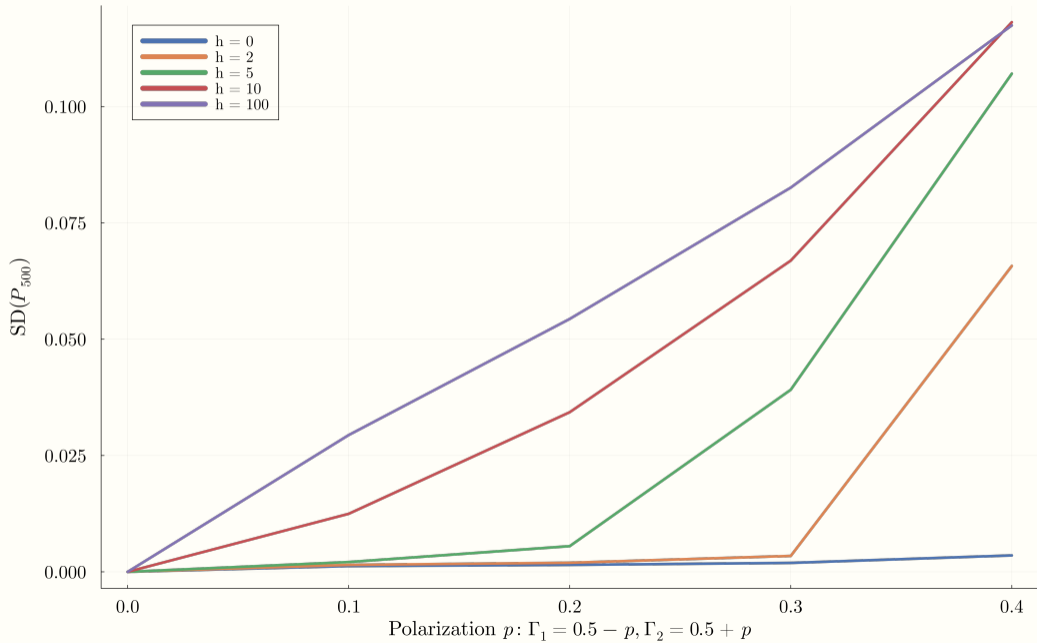


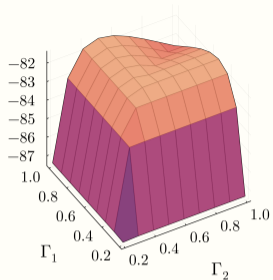
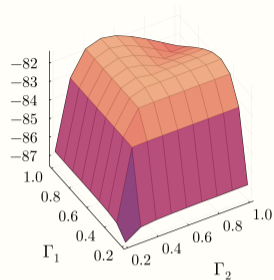
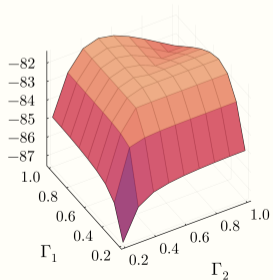
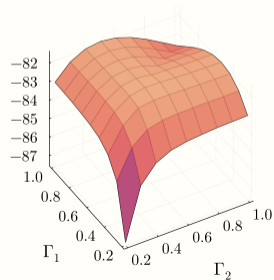
Pollution Dynamics Over Time

- **Myopic voters ($h = 0$):** high long-run pollution, no green policy
- **Forward-looking voters:** lower pollution steady-state, more “green” taxation
- **Paradox of salience:** if voters are myopic, not making pollution salient can help green propose higher taxes [▶ Policy Functions](#)







Welfare for $h = 0$ Welfare for $h = 5$ Welfare for $h = 10$ Welfare for $h = 100$ 

Conclusions

Main Takeaways

- **Voter myopia** yields weak green policies; brown party almost completely dictates the tax
- **Longer horizons** foster more ambitious environmental policy (both parties shift upward)
- **Polarization** amplifies policy swings
 - Longer voter horizons reduce median pollution in polarized environments
 - But **volatility** remains high → **Policy uncertainty** may affect firm investment decisions
- **Issue salience** paradox:
 - High salience can help push green policy if voters also think ahead
 - Very low salience sometimes lets green propose higher taxes without electoral backlash

Thank you!

Backup / Appendix

Discrete Choice Model

- Each voter k 's preferences are described by a random utility model:

$$U_k^i(\tau_i, P) = \xi W_k(\tau_i, P) + \varepsilon_k^i, \quad i \in \{1, 2\},$$

where:

- $W_k(\tau_i, P)$ is the deterministic component (e.g. net consumption benefit minus expected pollution damages),
 - ε_k^i is a random error term (Gumbel distribution), describing unobserved (or unmodelled) factors.
 - ξ denotes how much the deterministic component influences the choice.
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- The voter chooses party i if $U_k^i(\tau_i, P) > U_k^j(\tau_j, P)$.
 - As the error term is a random variable, this gives a probability of voting for party i

Saliency – Policy Functions

- With lower saliency, green can propose higher taxes without losing votes
- $\xi = 0$ means random voting

